Lectures

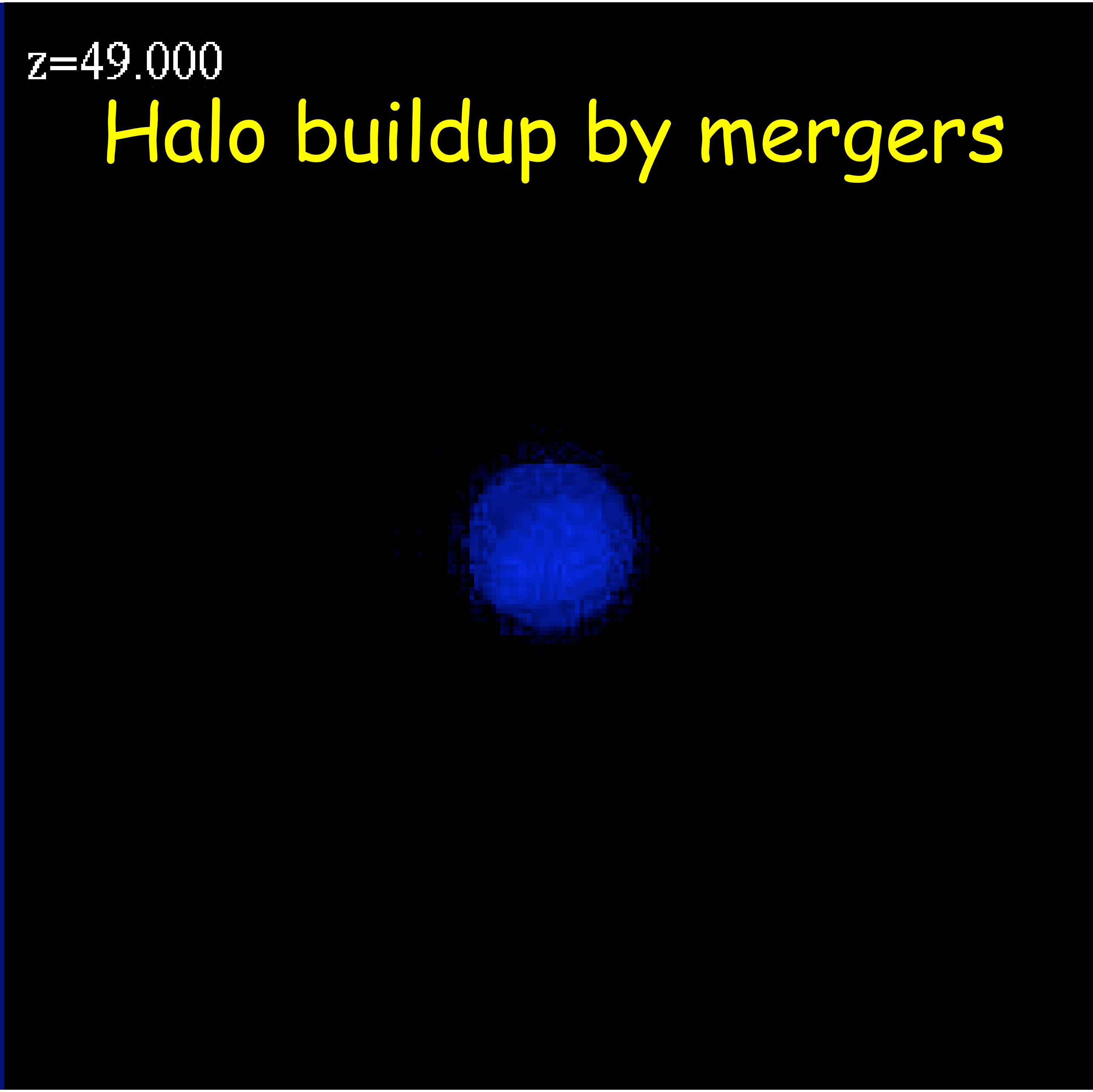
Dwarf Galaxies & Dark-Dark Halos: Feedback Processes

- The "fundamental line"
- Origin of scaling relations: supernova feedback
- Dark-dark halos (DDH) must exist
- Origin of DDH by photoionization
- Halo substructure: phase-space density

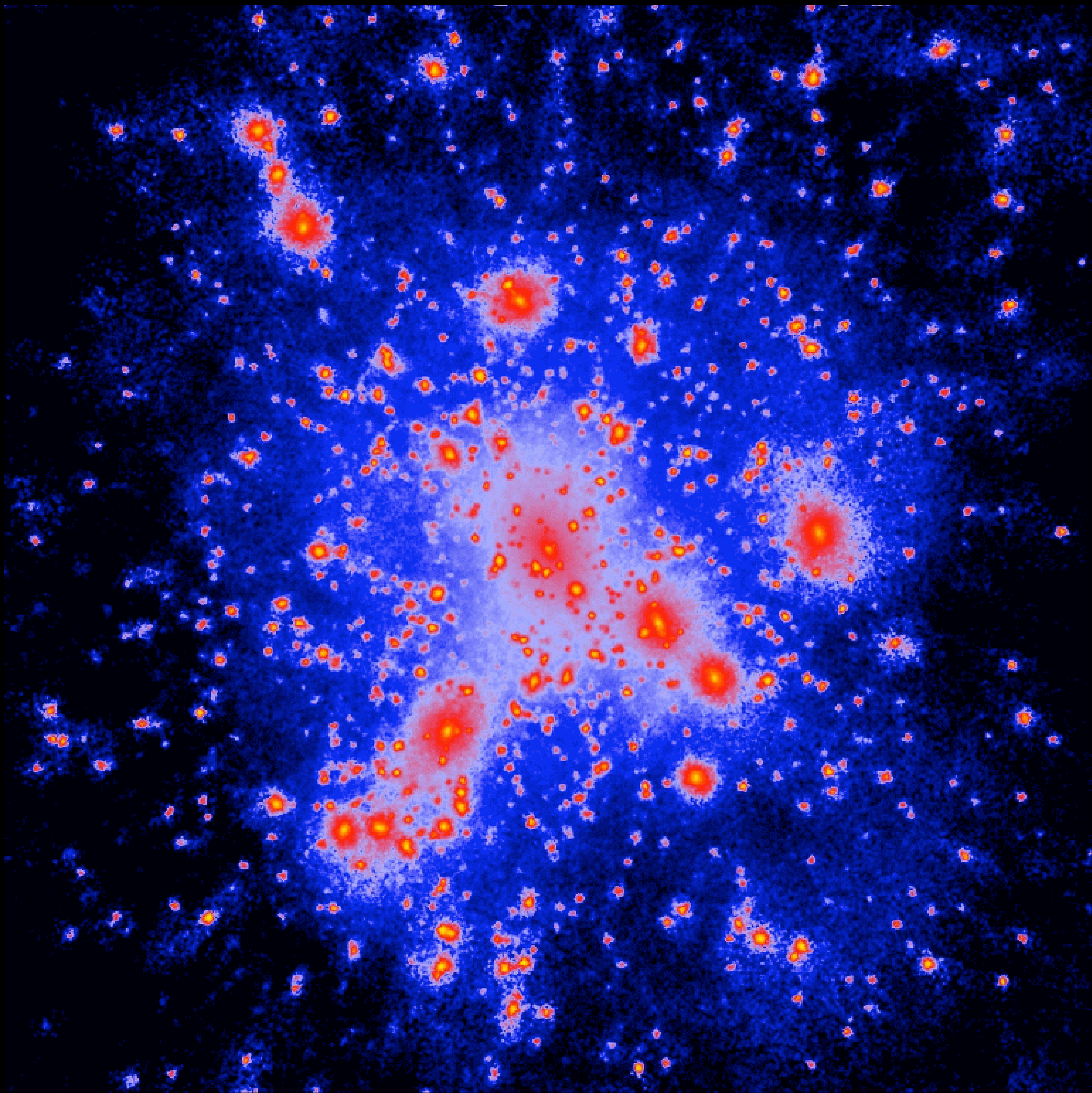
1. Missing Dwarfs & the "Fundamental Line"

Dekel & Woo 2003

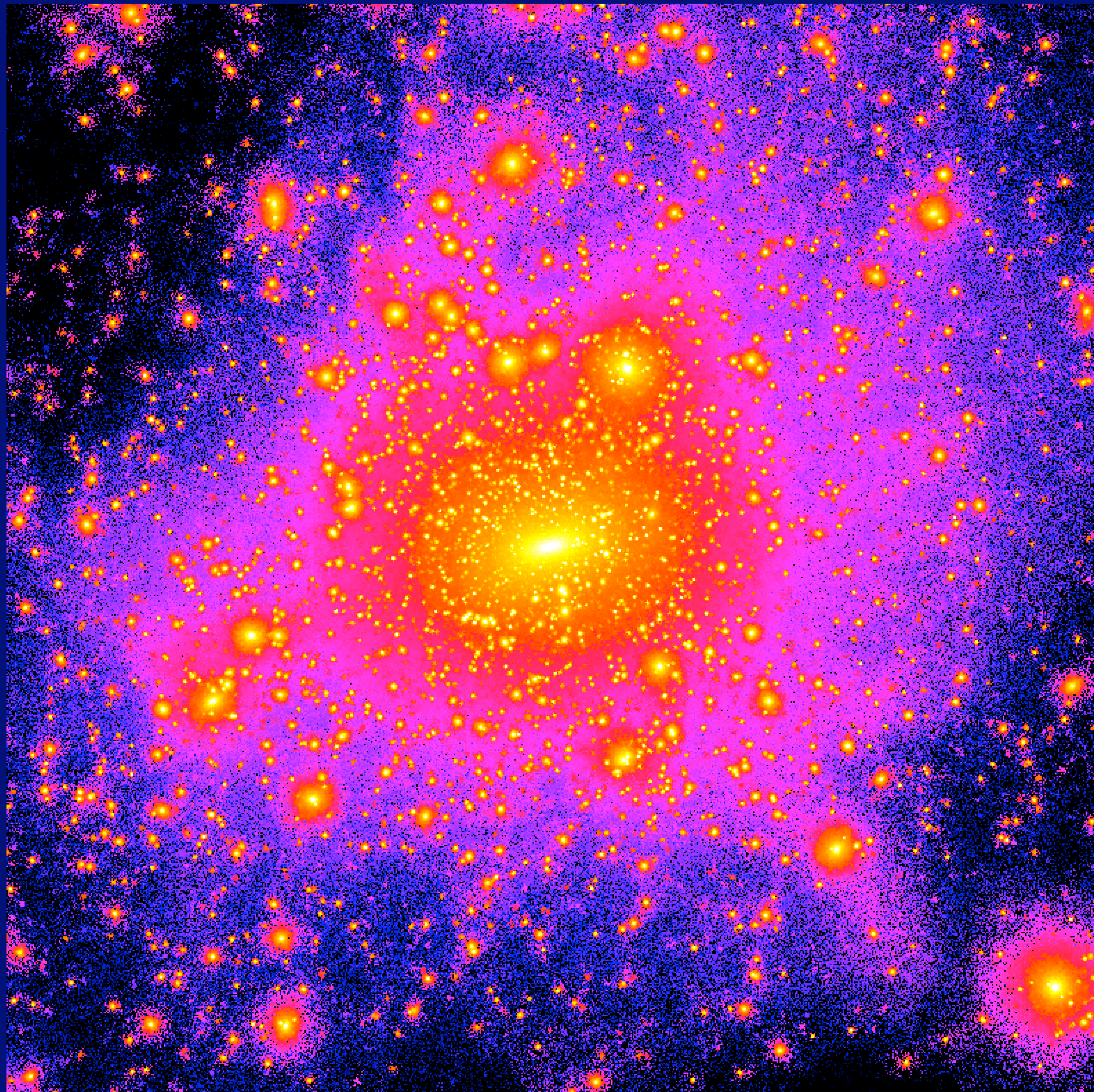
Halo buildup by mergers

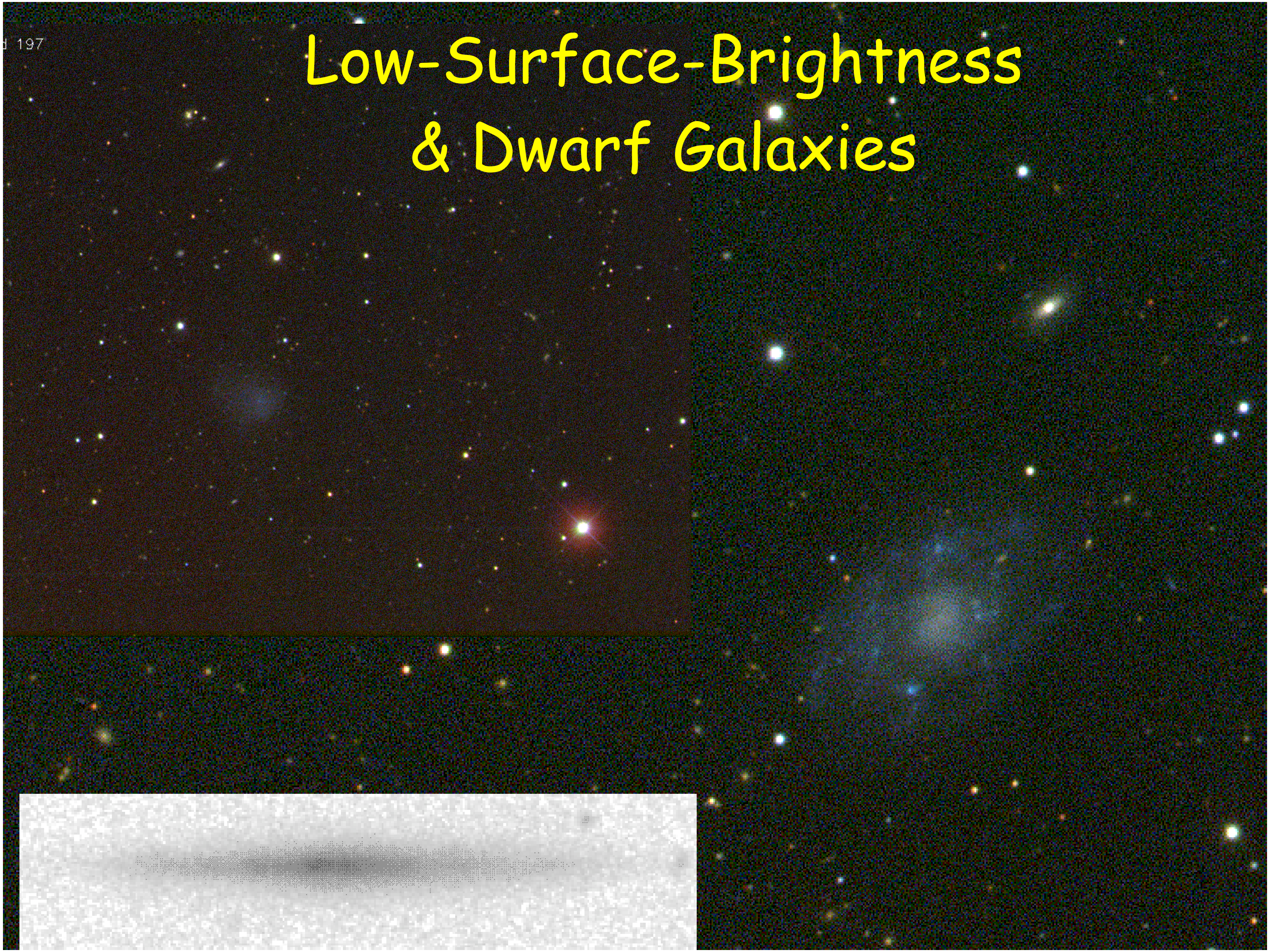


ΛCDM model: many dwarf satellites

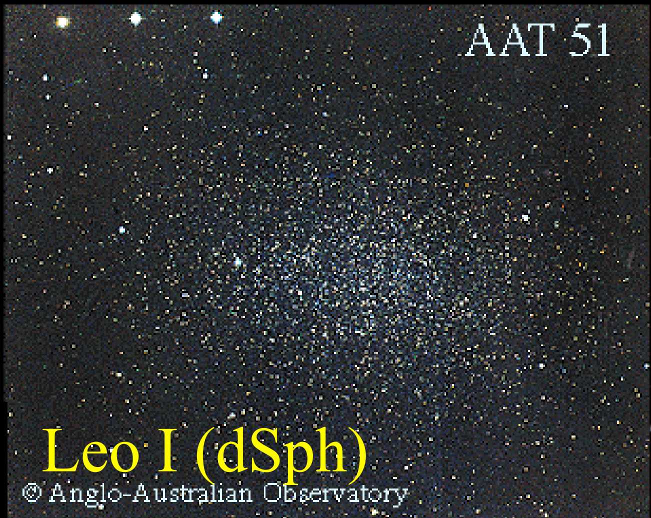


Moore et al

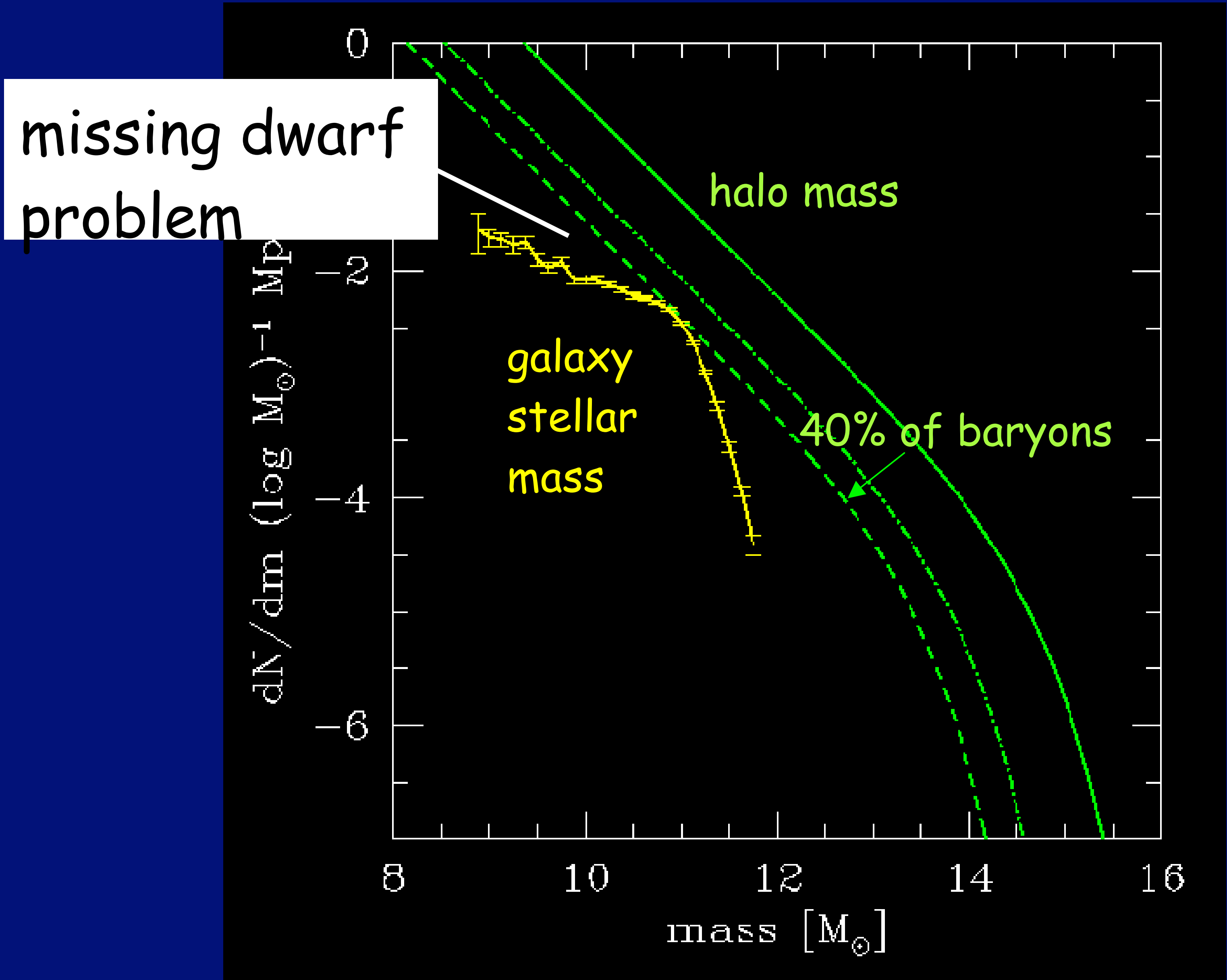



Low-Surface-Brightness
& Dwarf Galaxies

Only a few faint dwarf satellites

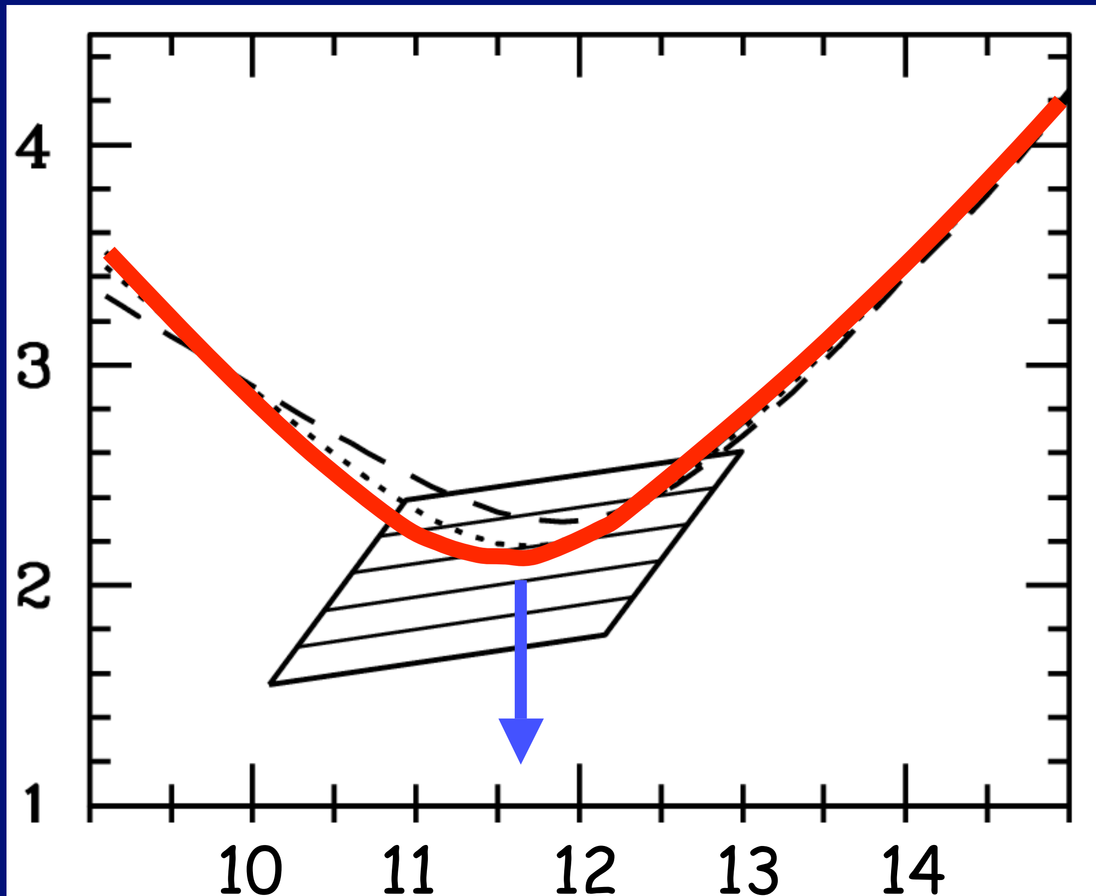


Mass versus Light Distribution



<M/L> vs M for halos in 2dF assuming _CDM

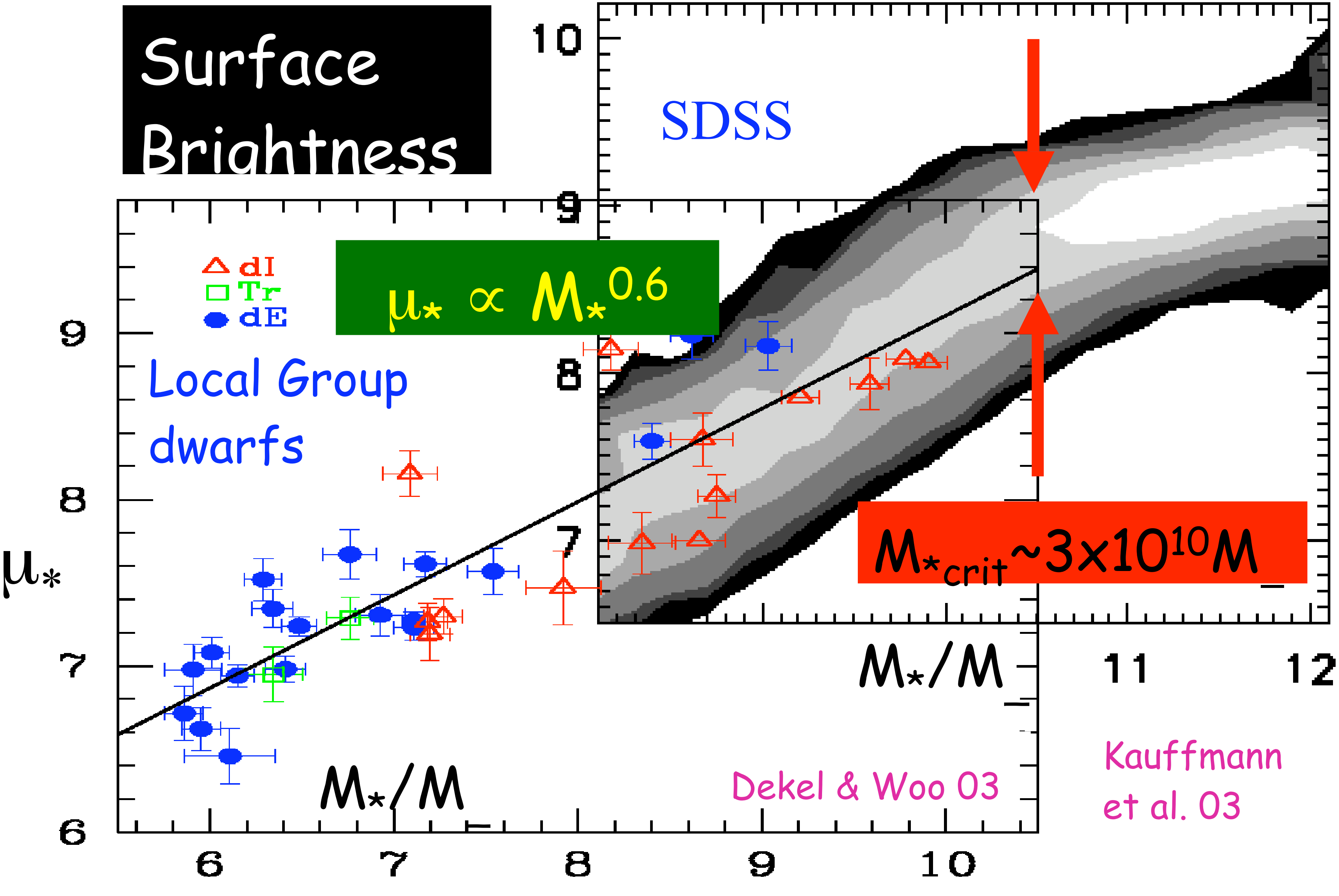
M/L



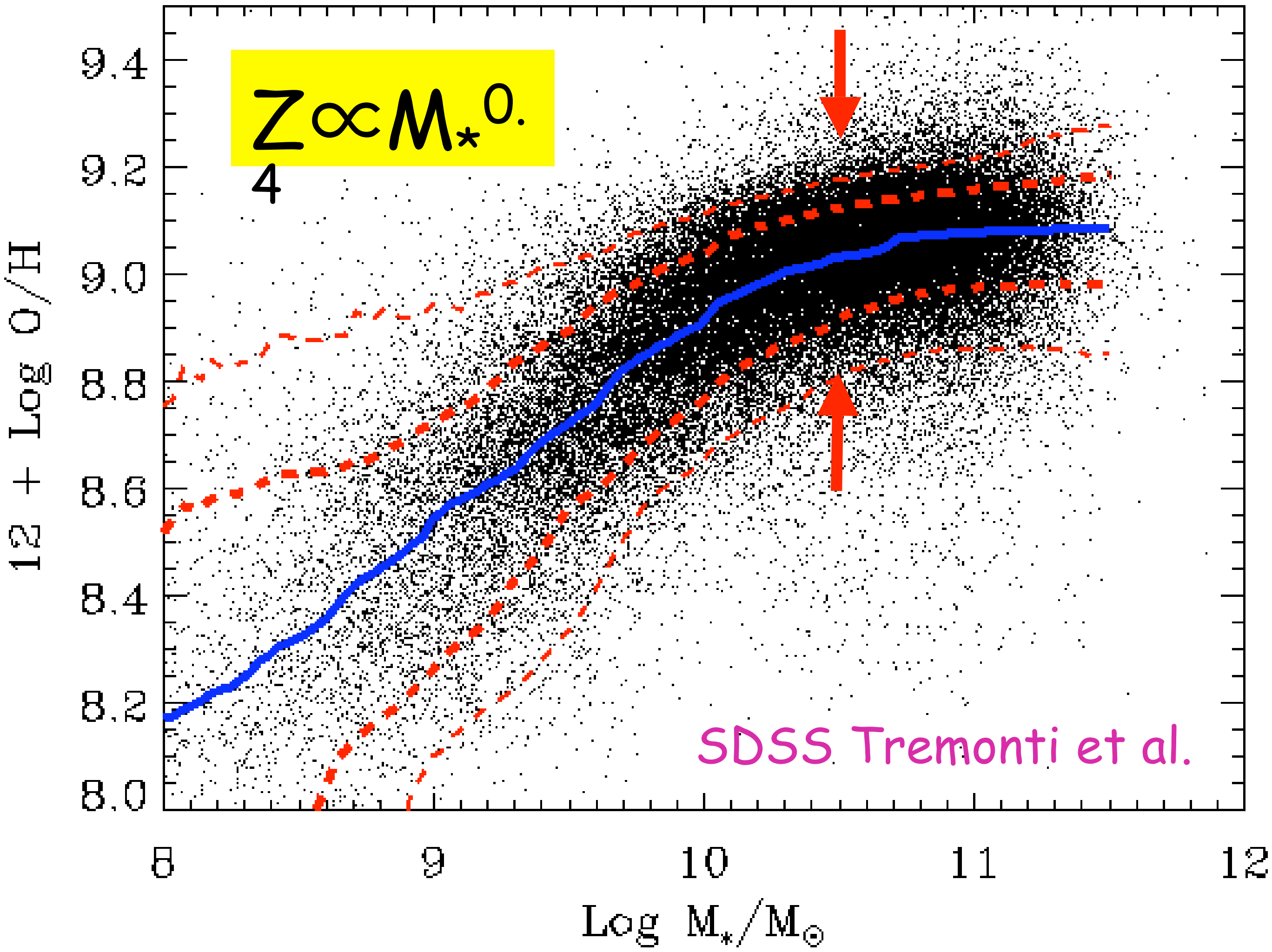
M

Using conditional luminosity function: Van den Bosch, Mo, Yang 03

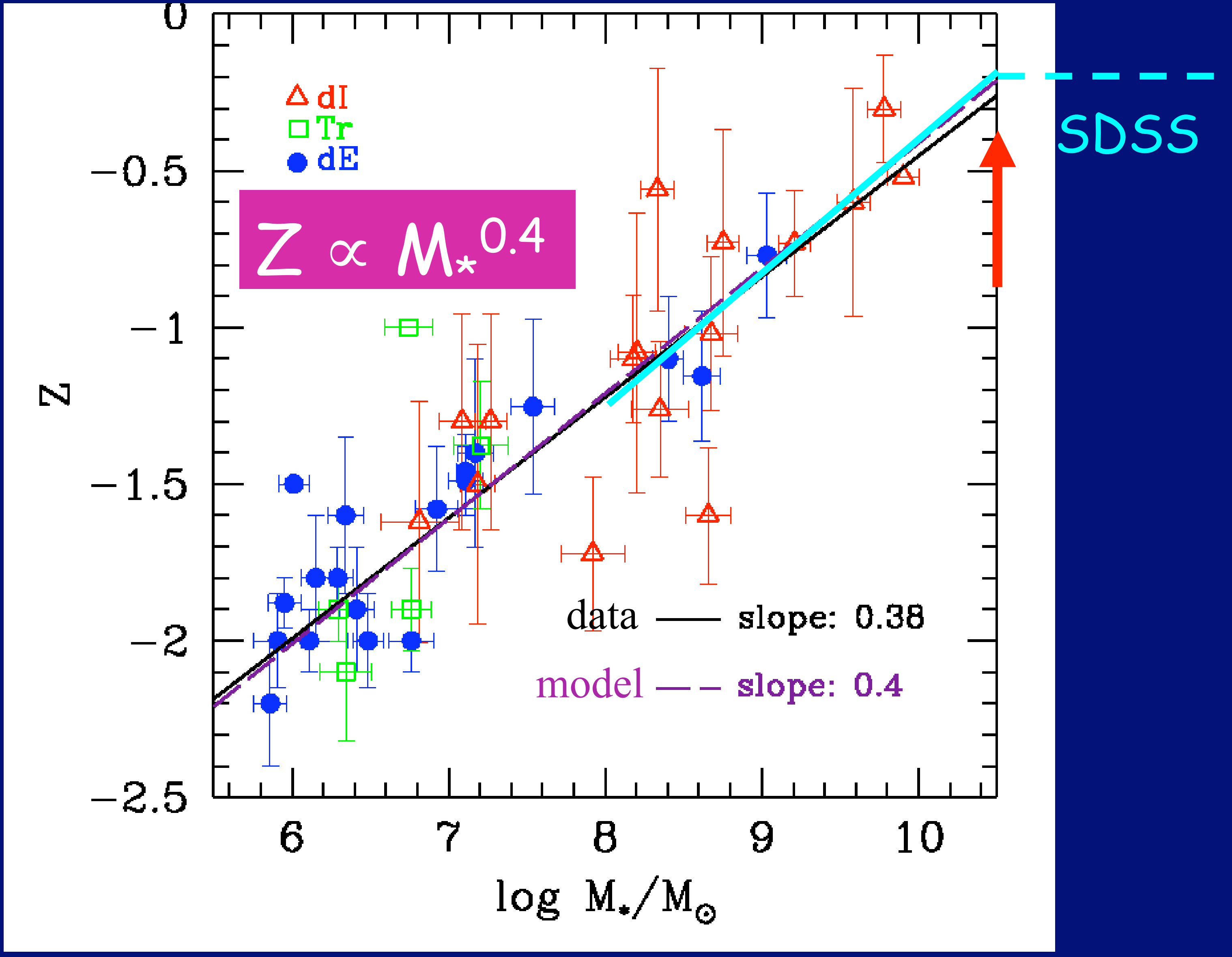
The "Fundamental Line" of LSB/Dwarfs



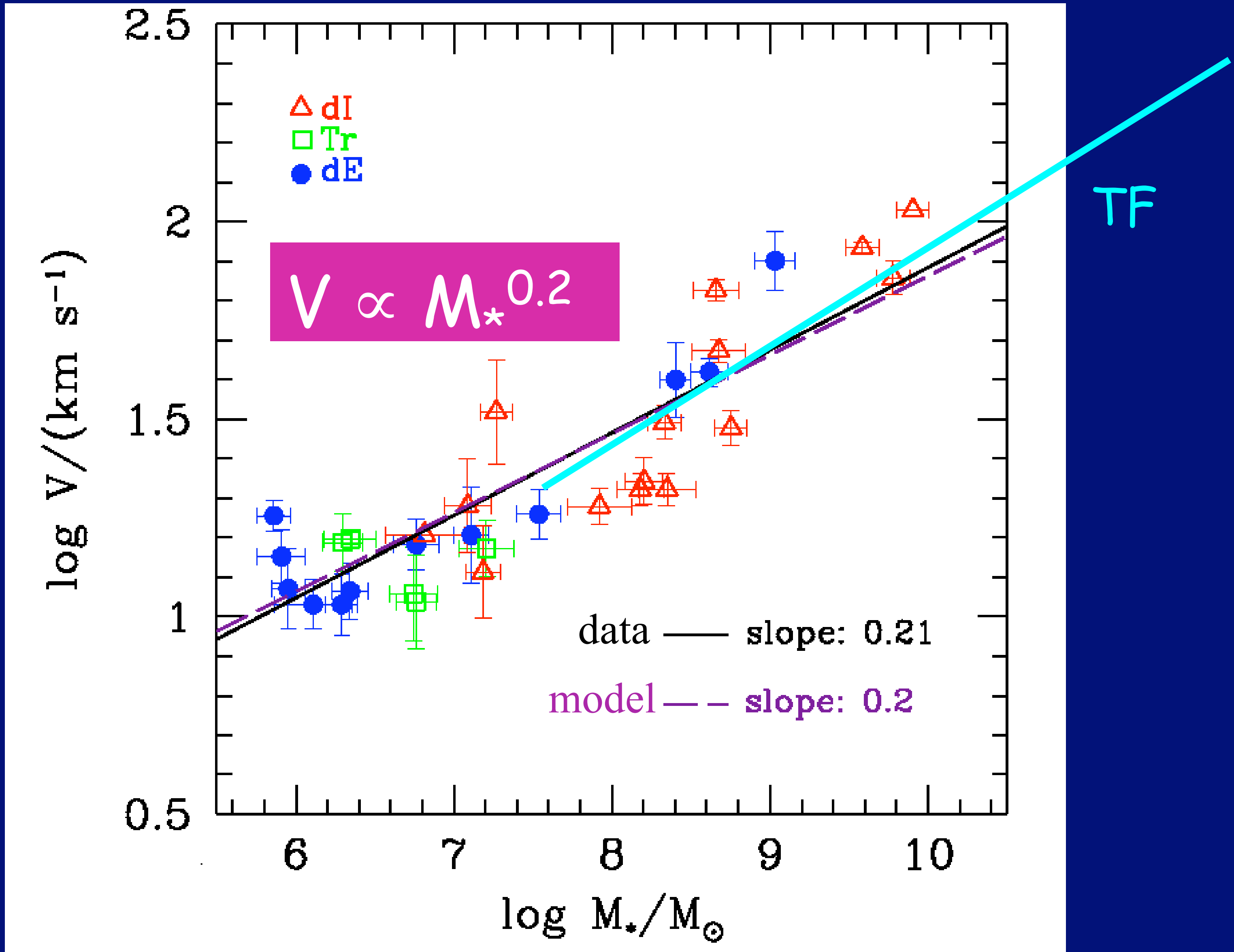
Metallicity



Local Group Dwarfs: Metallicity



LG Dwarfs: Velocity



2. Origin of Scaling Relations:

virial theorem & spherical halo collapse

angular momentum

feedback

Bright Galaxies

- virial halo $V^2 \propto \frac{GM}{R}$ top hat $\frac{M}{R^3} \propto 200\rho_u$ $\rightarrow \quad M \propto V^3 \propto R^3$

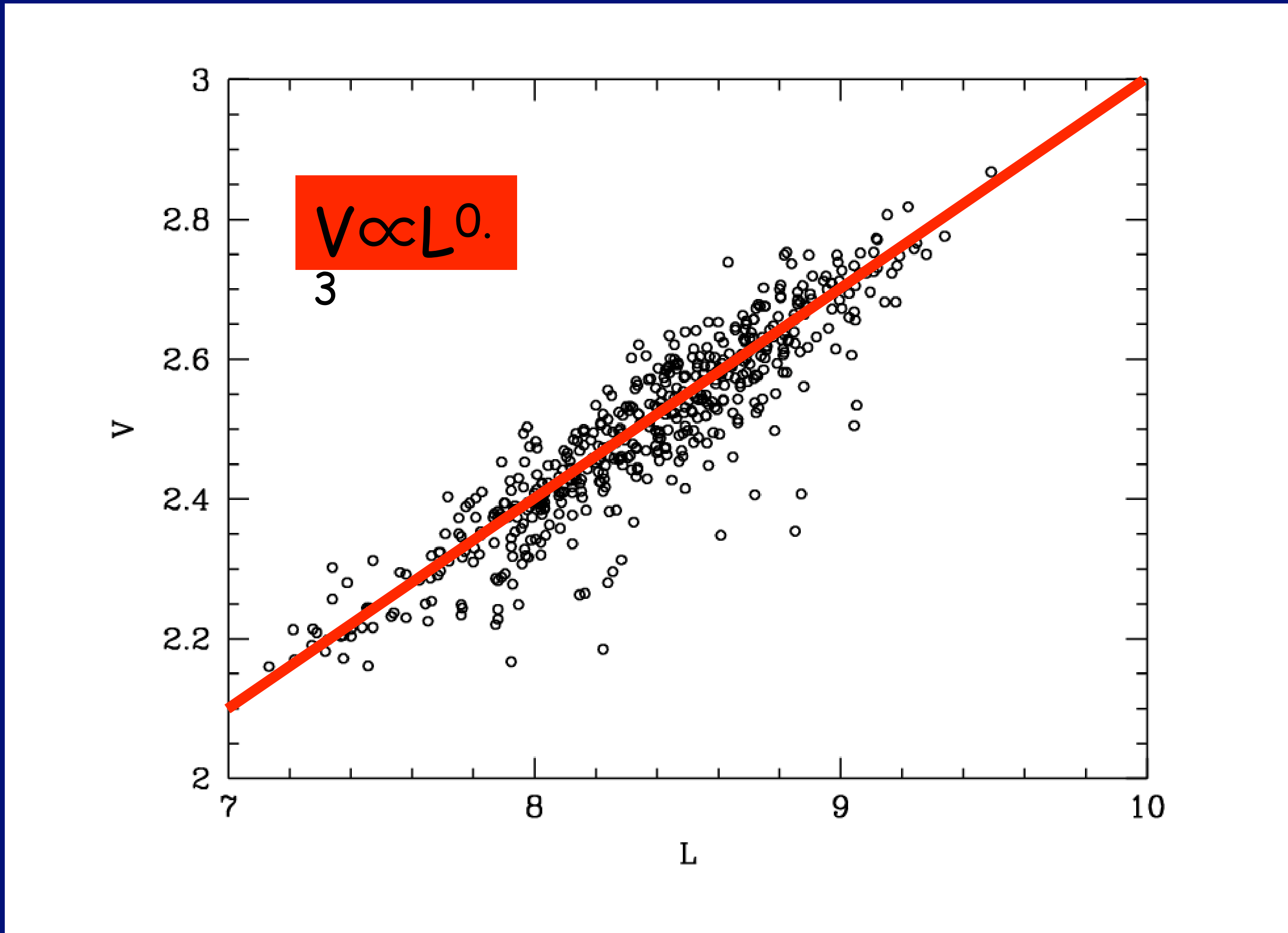
- $M_* \propto M_{gas} \propto f_{bar} M$ (initial) $\rightarrow \quad M_* \propto V^3$

- disk size $R_* \approx \lambda R$ (spin) $\lambda \approx \text{const.}$

  $\mu_* \propto M_* / R_*^2 \propto \lambda^{-2} M_*^{1/3}$ $\rightarrow \quad \mu_* \propto M_*^{1/3}$

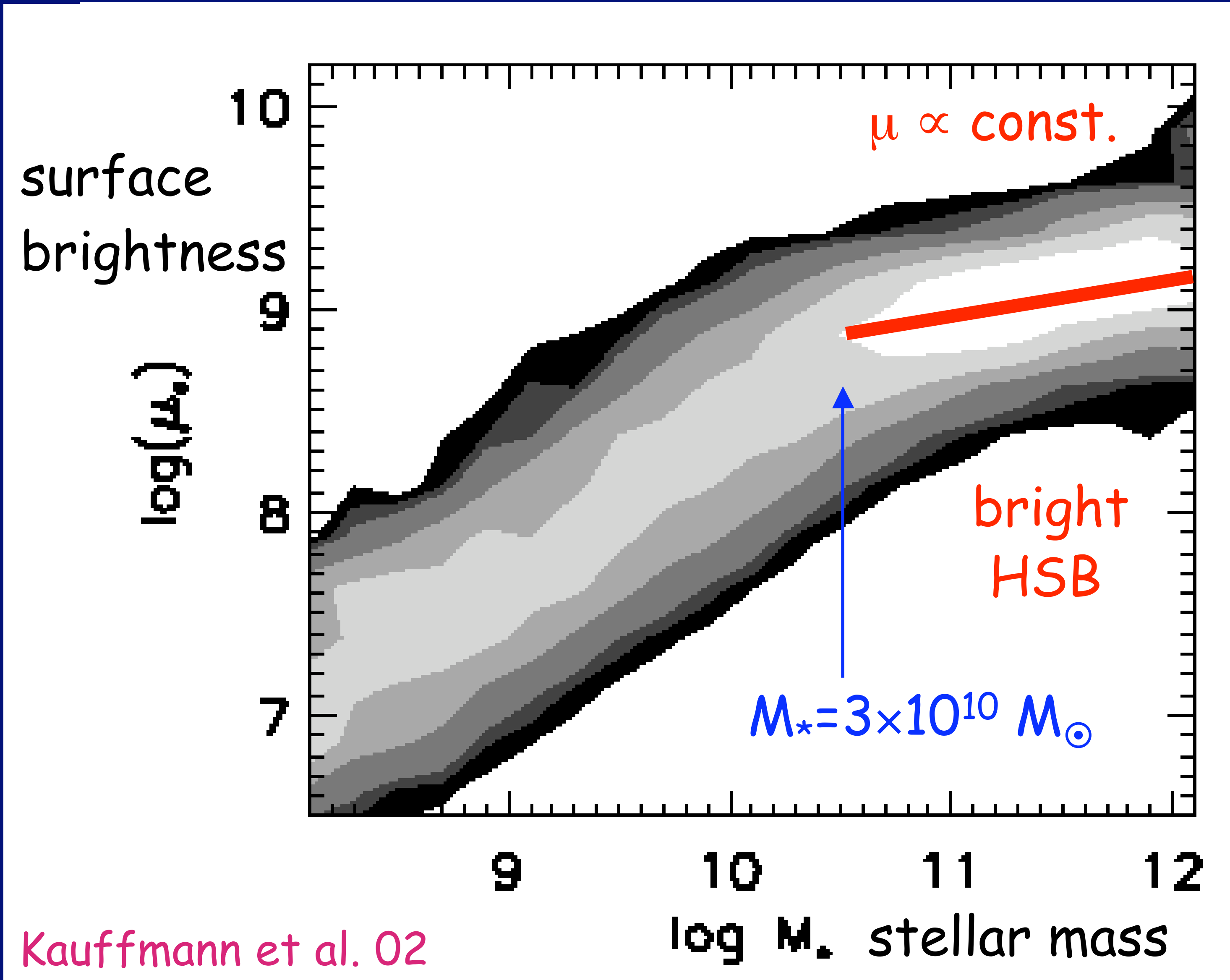
- $Z \propto M_* / M_{gas}$ $\rightarrow \quad Z \propto \text{const.}$

Bright Galaxies: Tully Fisher Relation

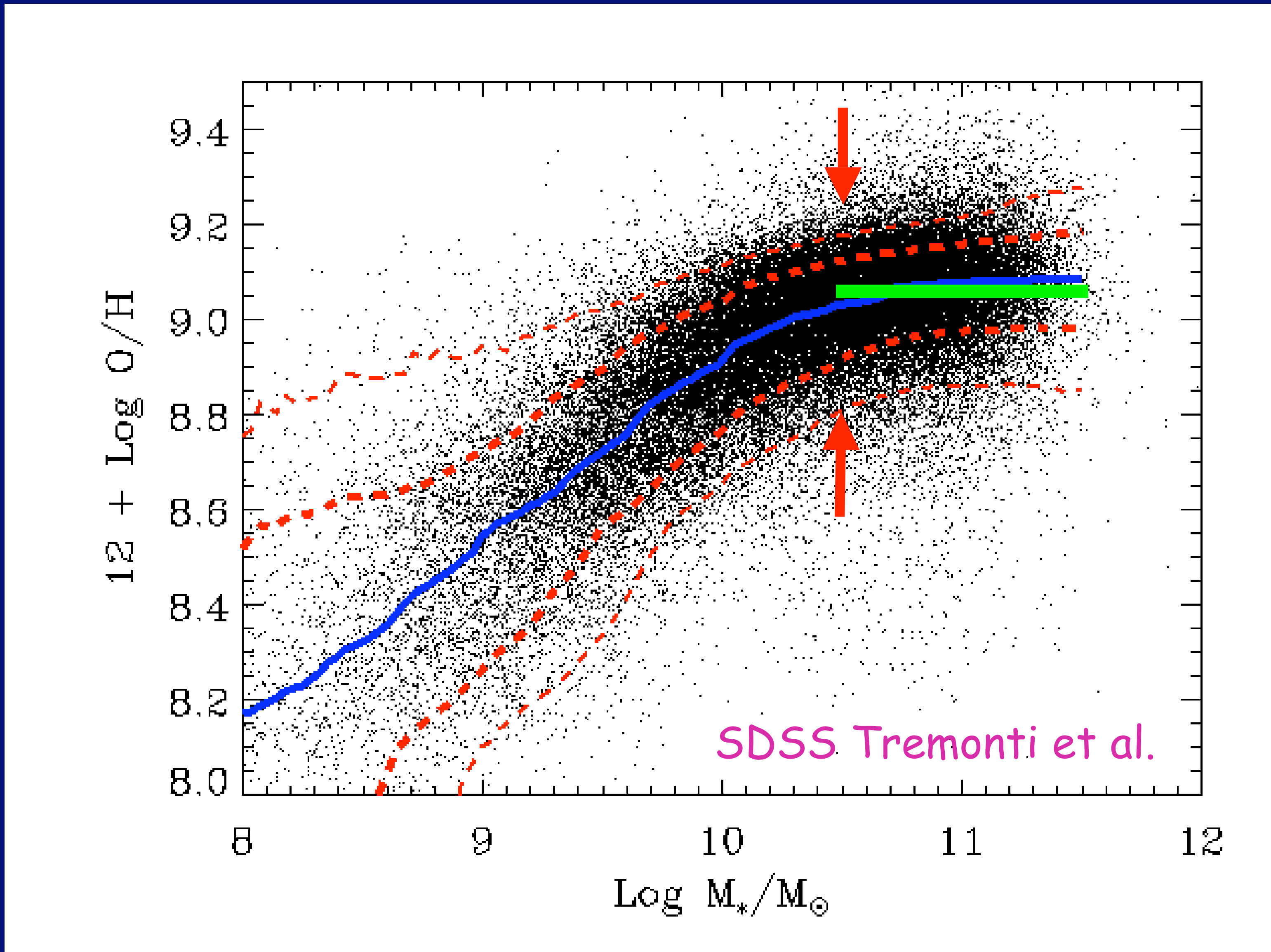


Courteau et al. 04

Surface Brightness: SDSS



Metallicity SDSS

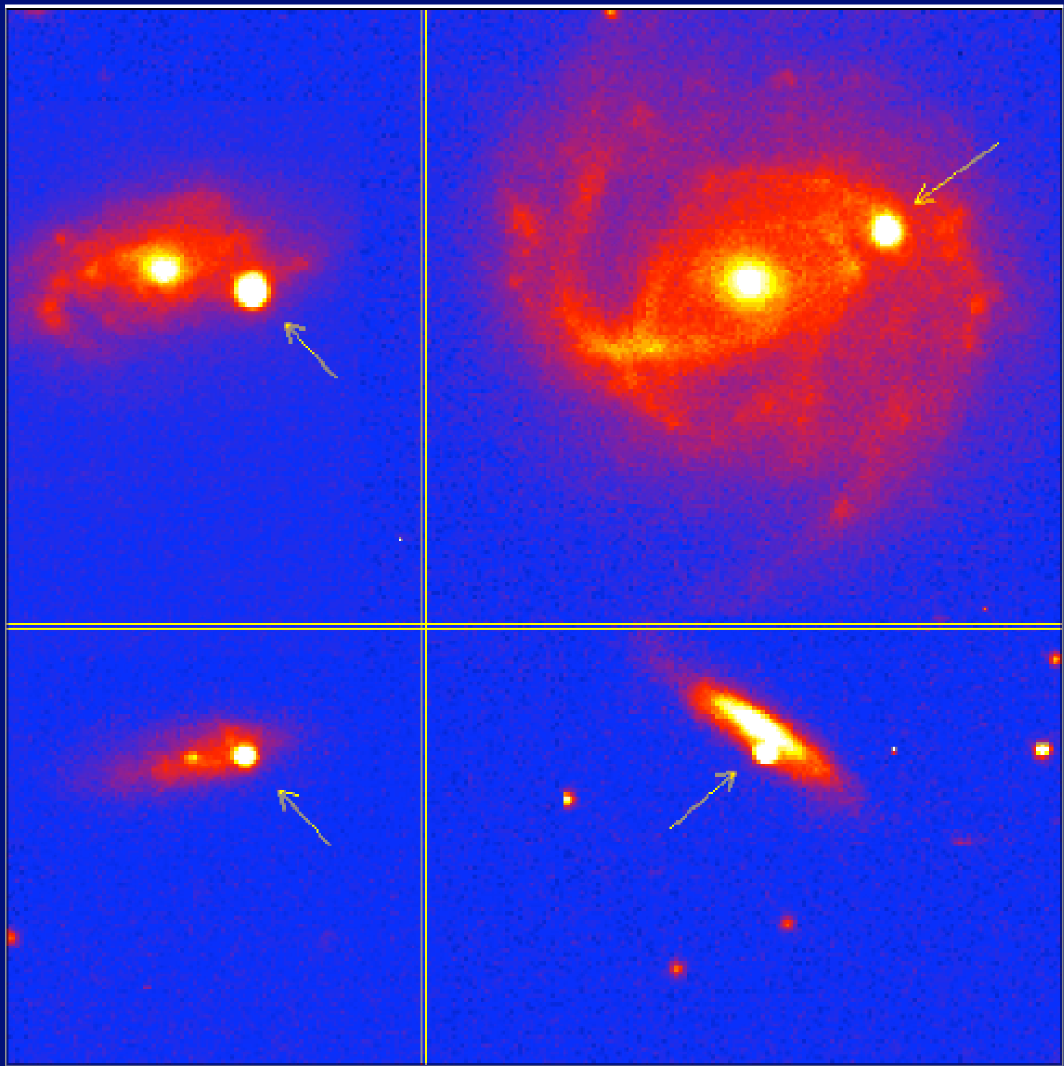


Supernova Feedback

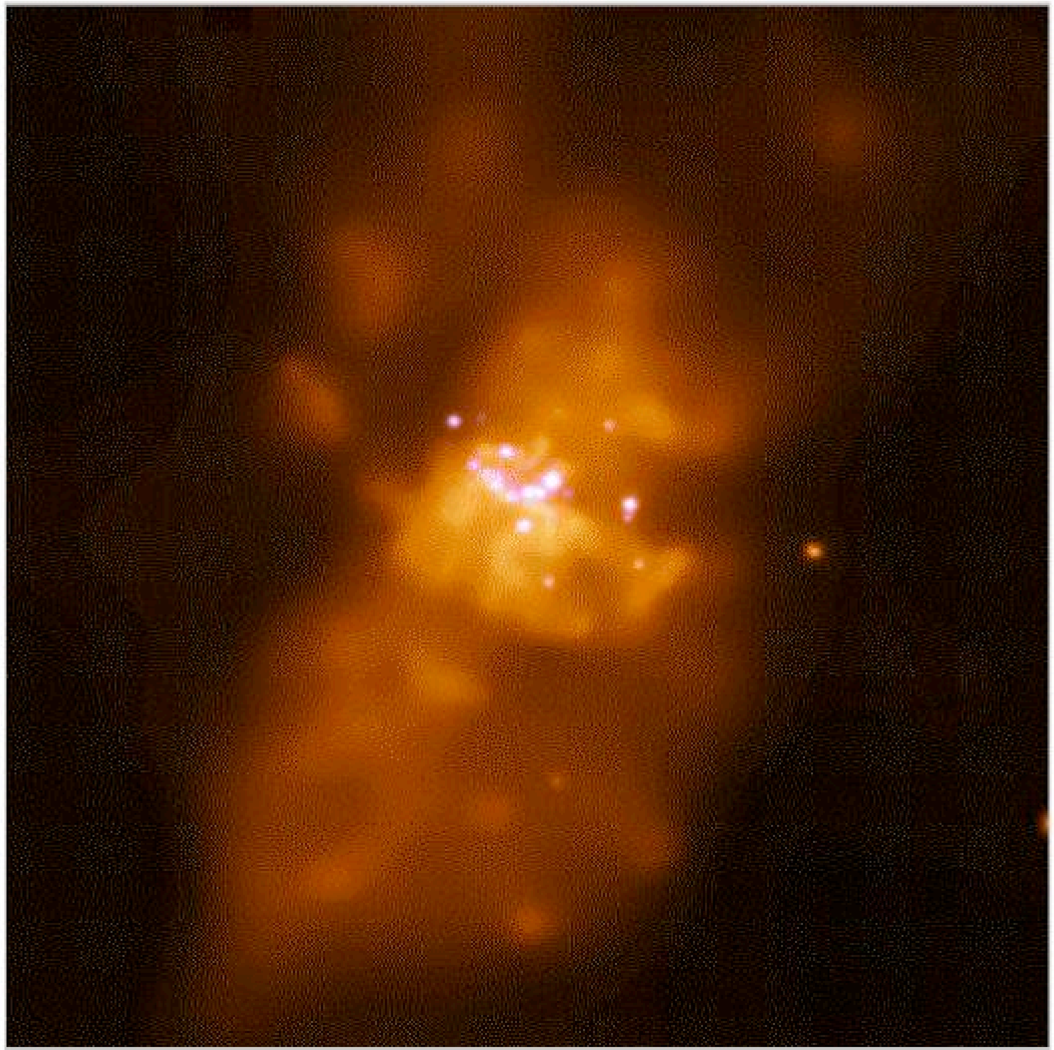
Dekel & Silk 86

Dekel & Woo 03

Much energy in SNe



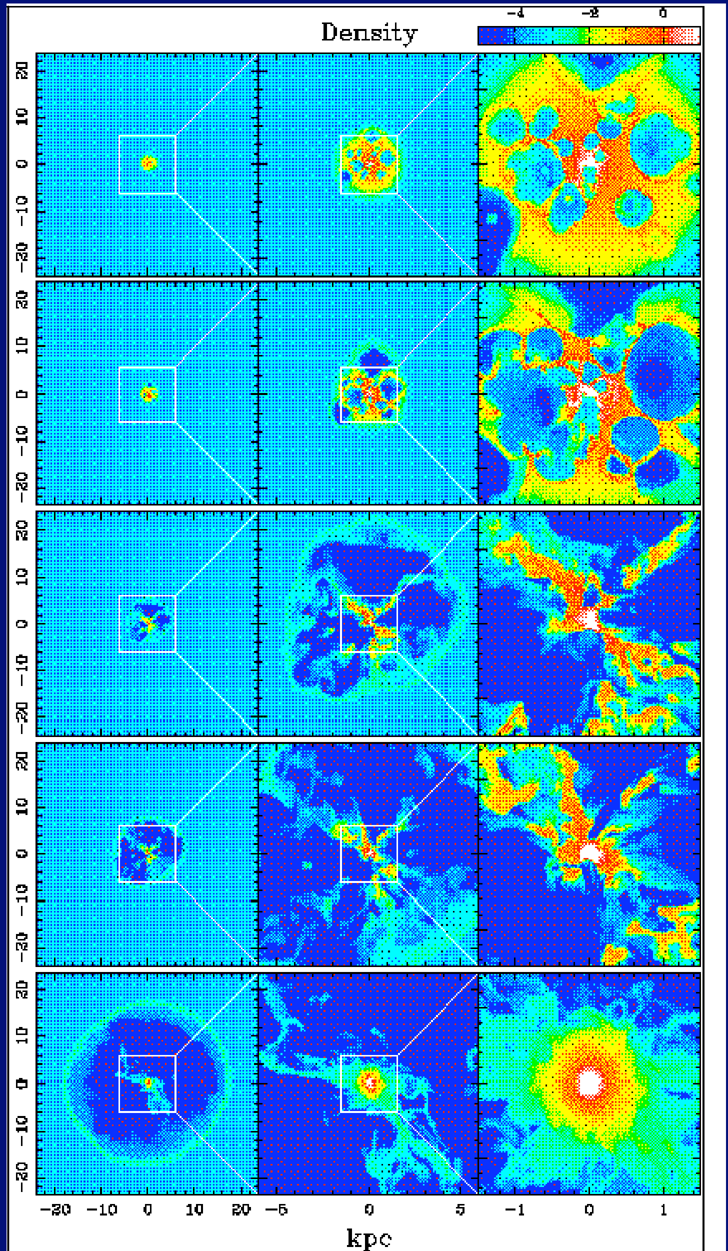
Galactic wind M82



Chandra X-Ray Observatory image of M82

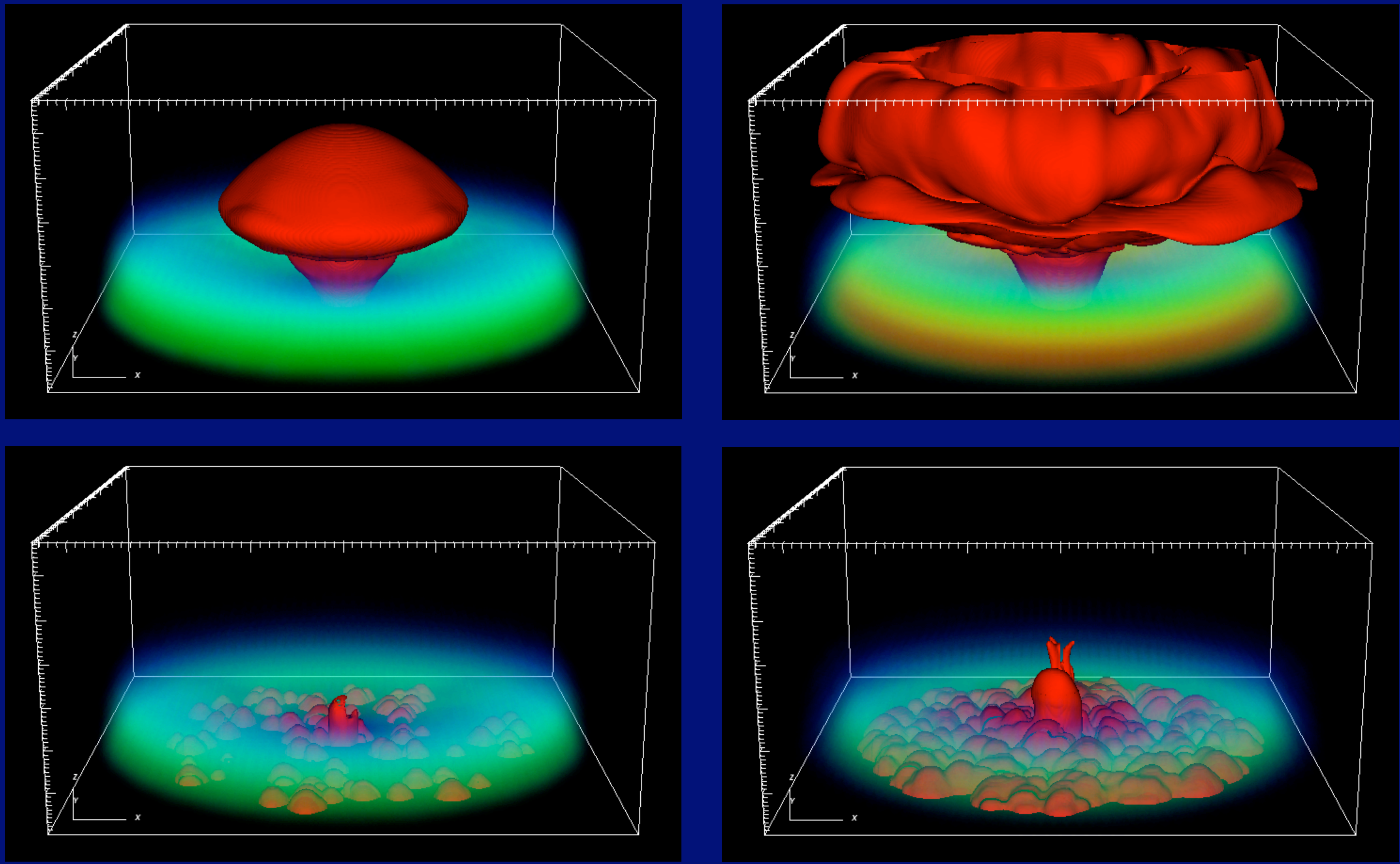
Simulation of supernova blowout

time



Mori et al.

Supernova Feedback



Fragile, Murray, Lin 04

Supernova Feedback Scale

(Dekel & Silk 86)

Energy fed to the ISM during the "adiabatic" phase:

$$E_{SN} \approx \nu\varepsilon \, \dot{M}_* \, t_{rad} \quad \propto M_* (t_{rad}/t_{ff})$$

$$\dot{M}_* \approx M_*/t_{ff}$$

≈ 0.01

for $\Lambda \propto T^{-1}$ at $T \sim 10^5 \, K$

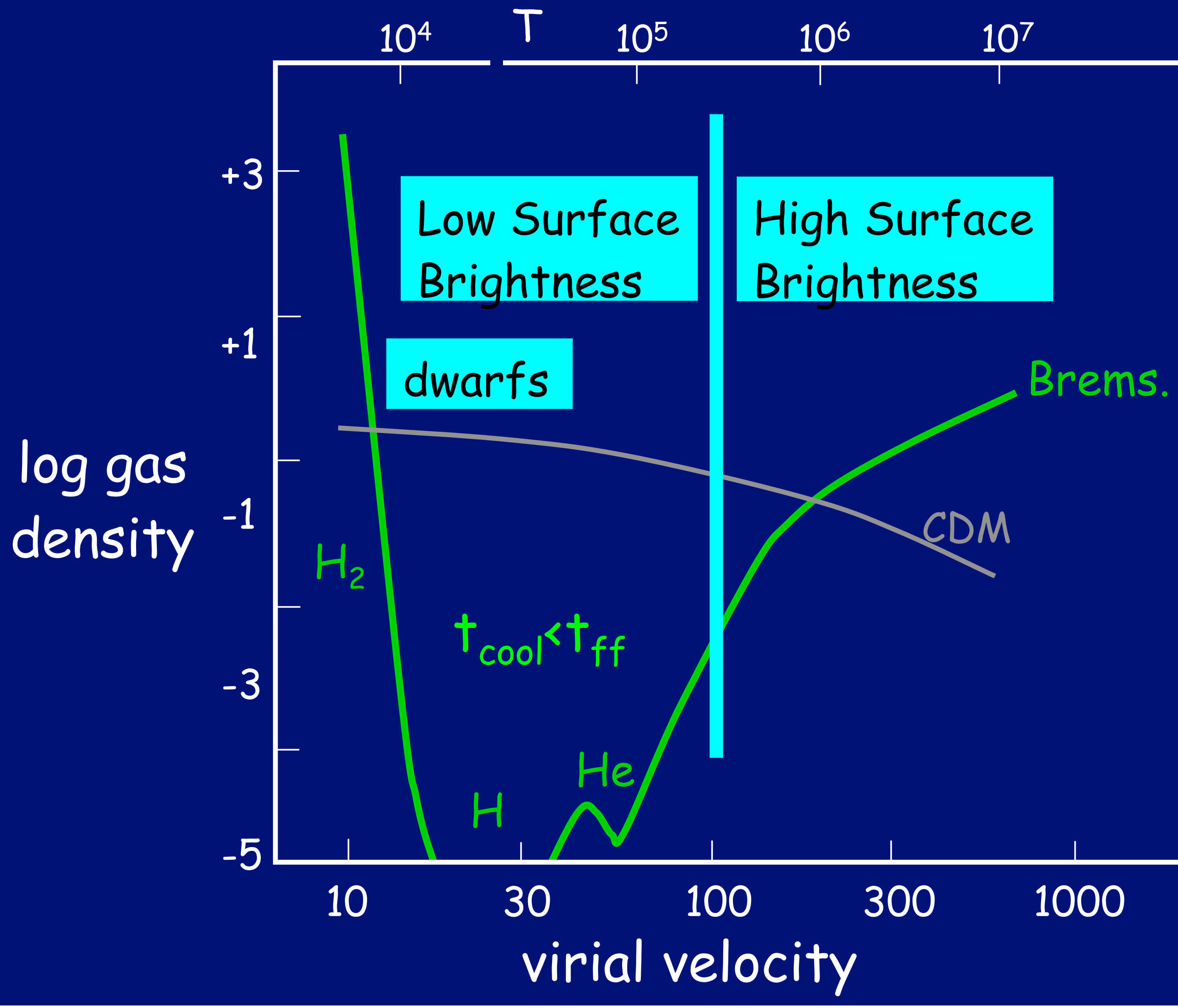
Energy required for blowout:

$$E_{SN} \approx M_{gas} V^2$$

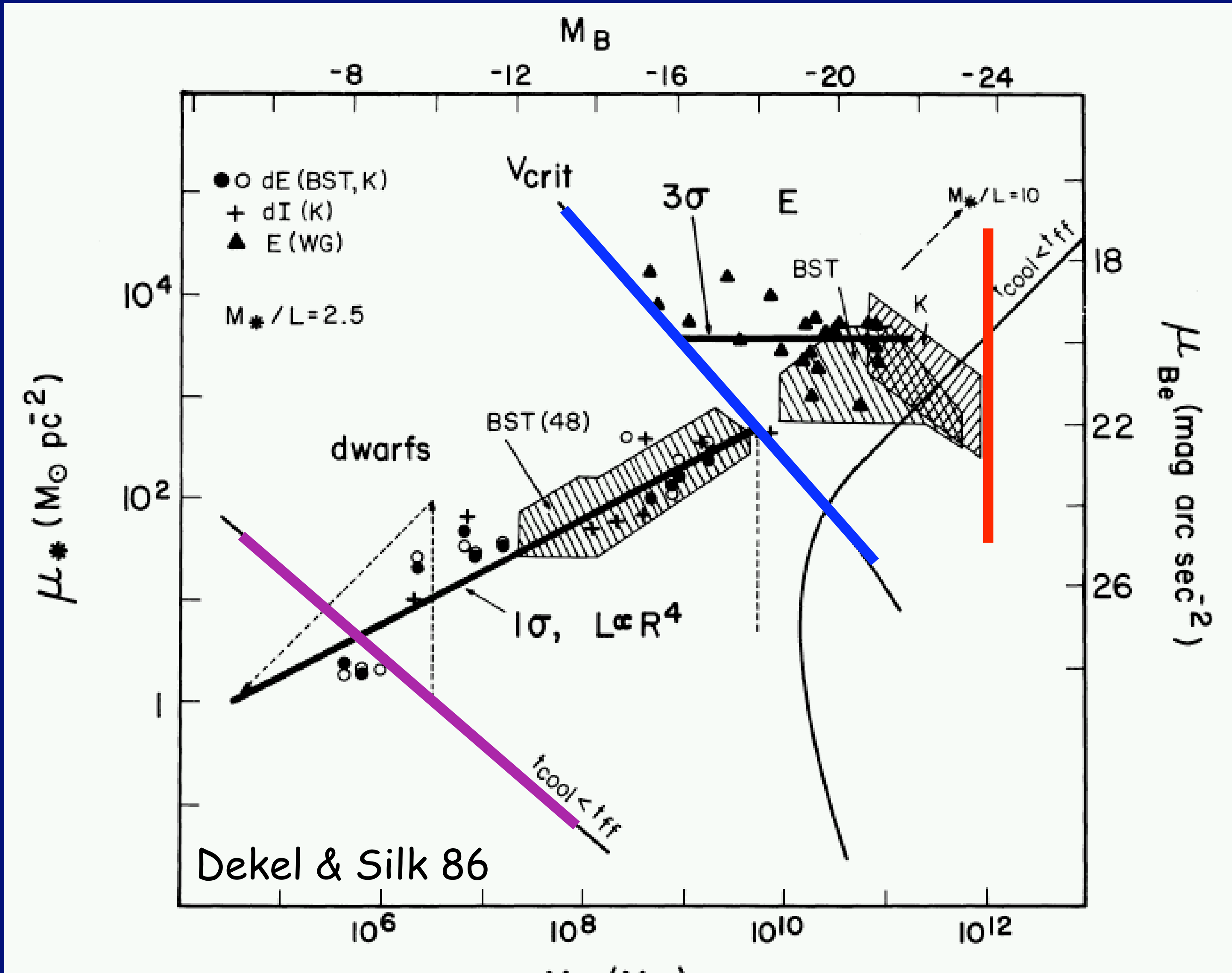
$$\rightarrow \quad V_{crit} \approx 100 \text{ km/s} \quad \rightarrow \quad M_{*crit} \approx 3\times 10^{10} M_{\circ}$$

Supernova Feedback Scale

Dekel & Silk 86



LSB vs HSB



Dekel & Silk 86

Model: fundamental line of LSB/Dwarfs

(Dekel & Woo 03)

- Energy: $E_{SN} \propto M_* \propto M_{gas} V^2$
- Virial halo: $V^3 \propto M \propto R^3$

$M_* / M_{gas} \propto V^2$

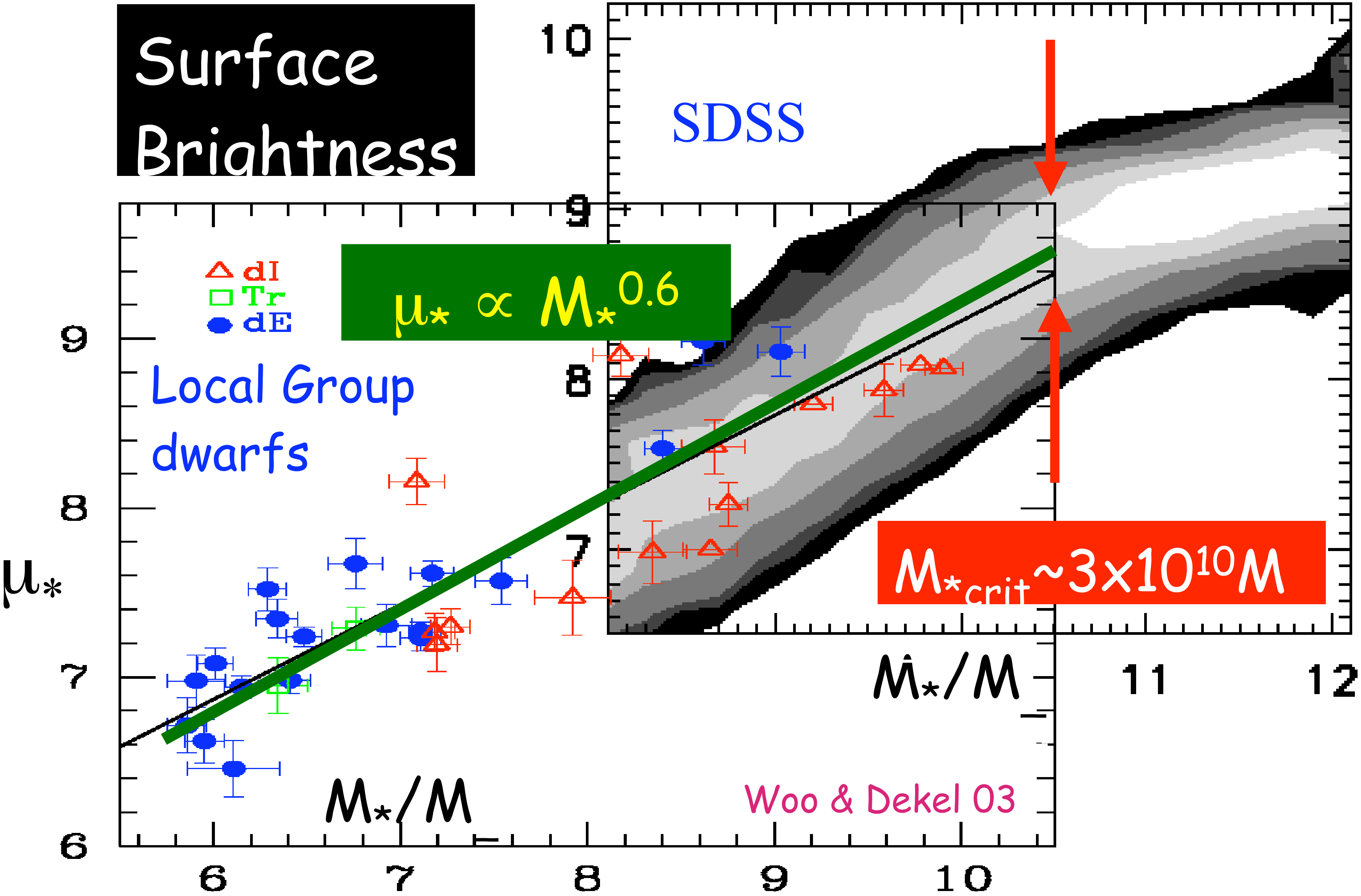
$<<1$

$\longrightarrow$ $V \propto M_*^{1/5}$ "Tully Fisher"

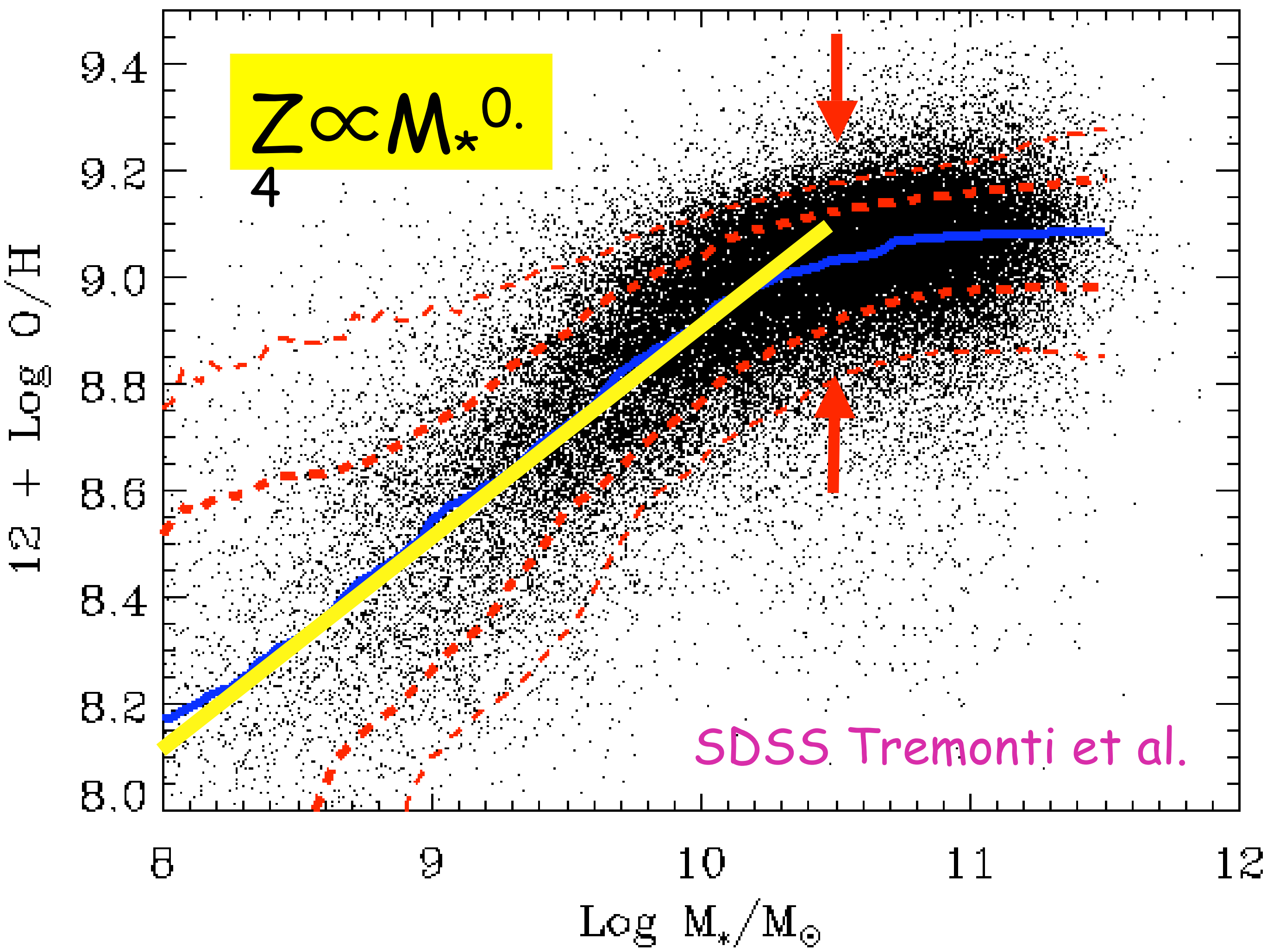
$Z \propto M_* / M_{gas}$ $\longrightarrow$ $Z \propto M_*^{2/5}$ metallicity

$R_* \approx \lambda R$ $\longrightarrow$ $\mu \propto \lambda^{-2} M_*^{3/5}$ surface brightness

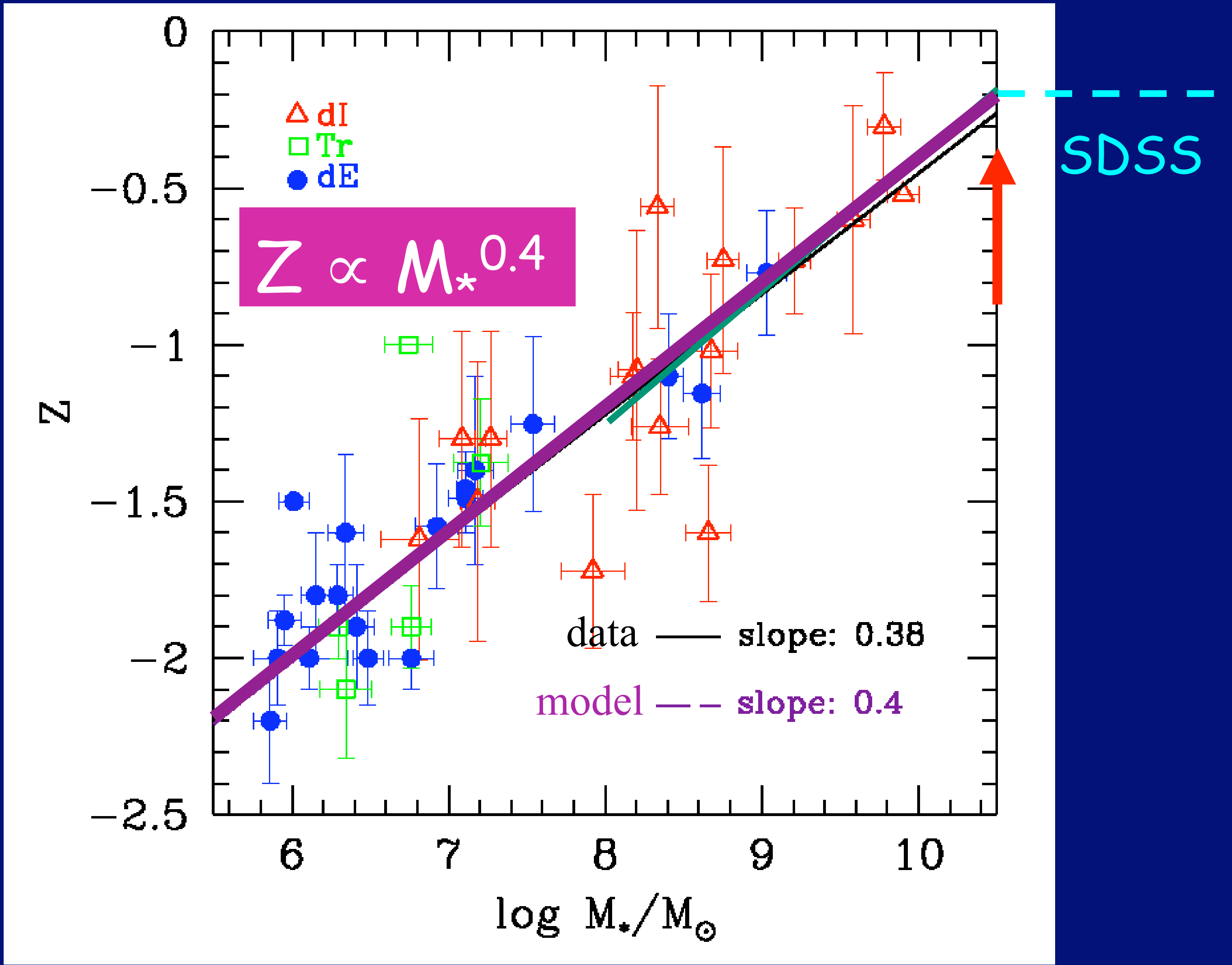
The "Fundamental Line" of LSB/Dwarfs



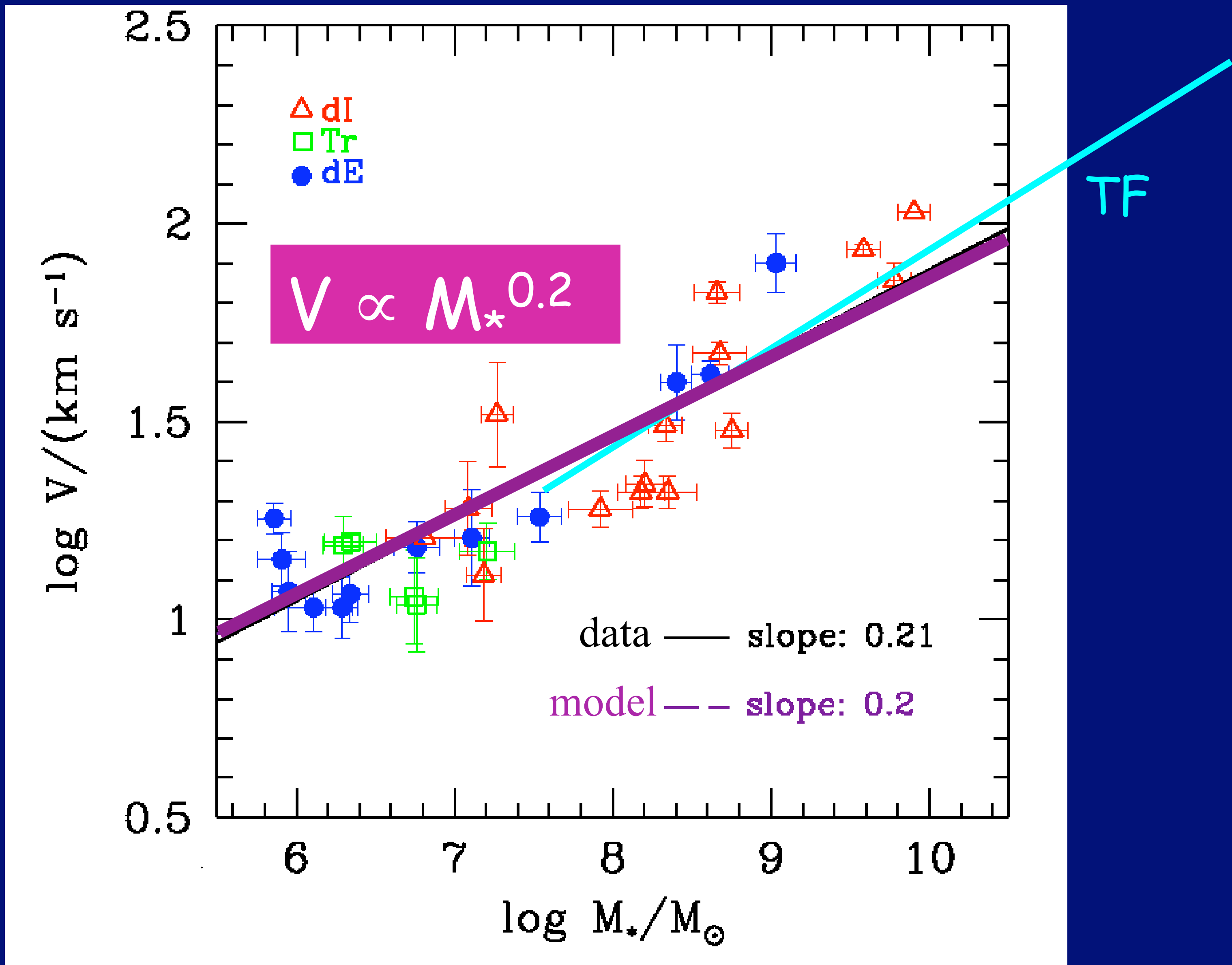
Metallicity



Local Group Dwarfs: Metallicity



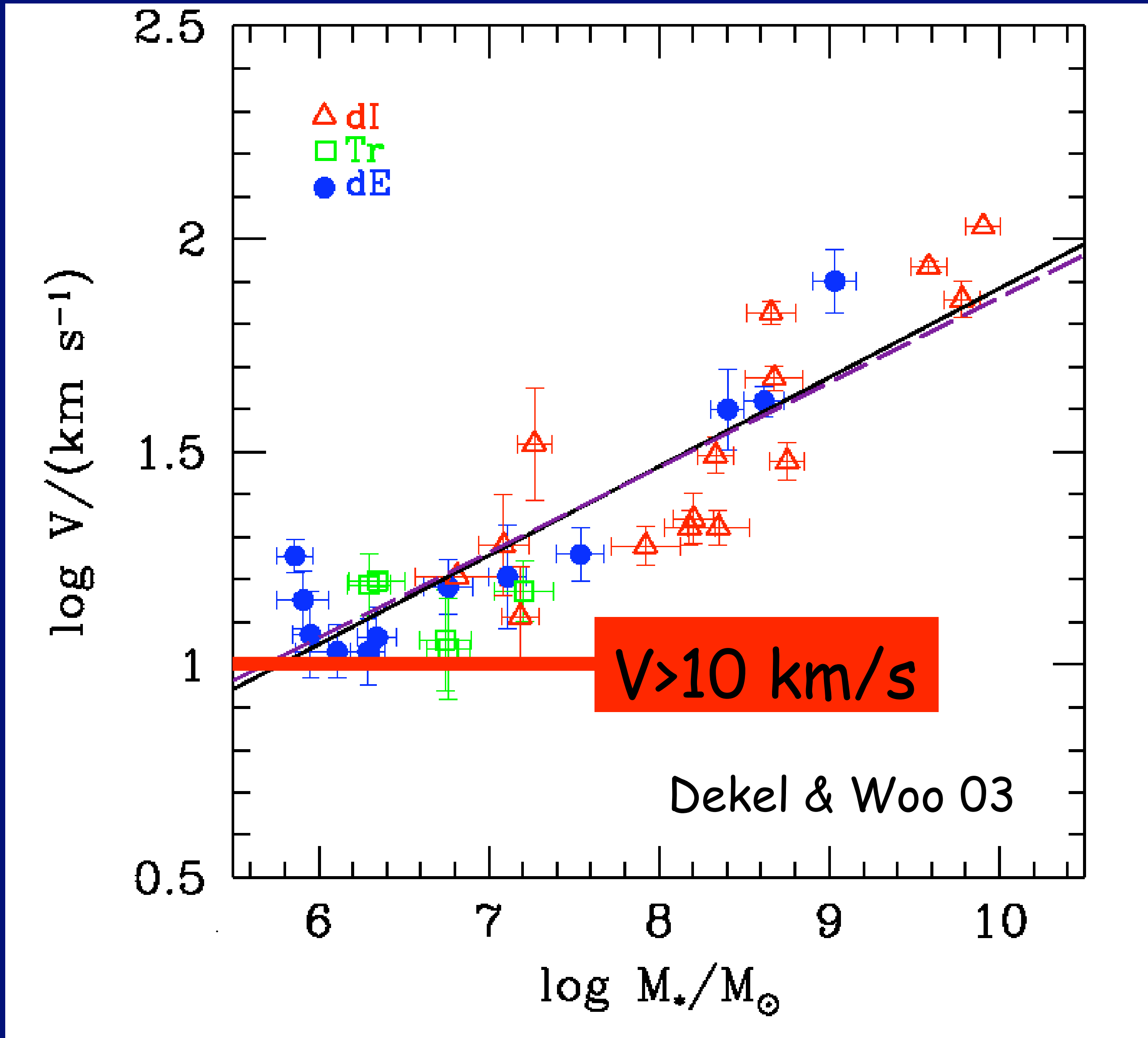
LG Dwarfs: Velocity



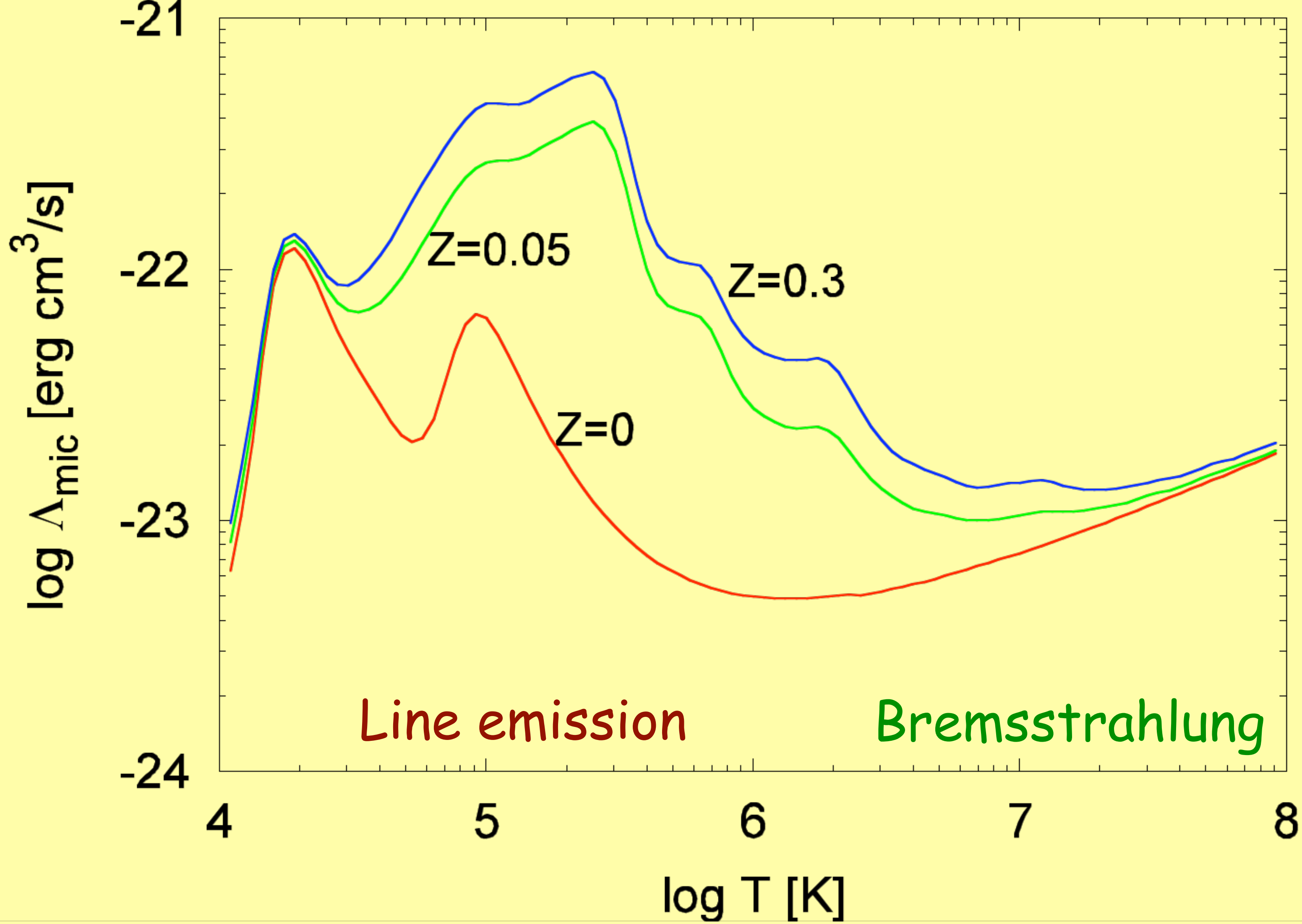
Summary: SN feedback

Could be responsible for the transition scale at $M_* = 3 \times 10^{10}$, and the "fundamental line" of LSB/dwarf galaxies, $M^*/M \propto V^2$.

A lower bound for galaxies



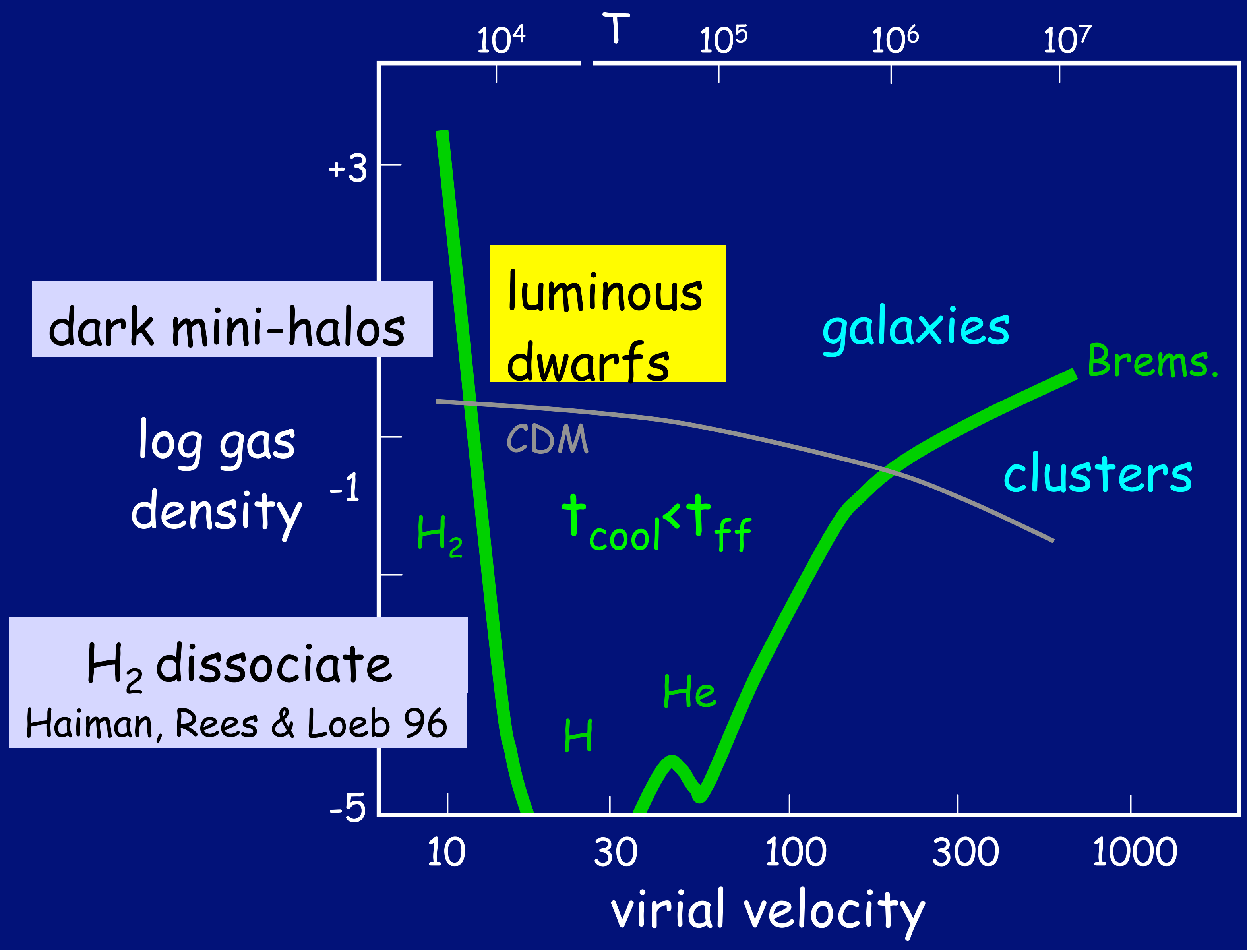
Cooling rate



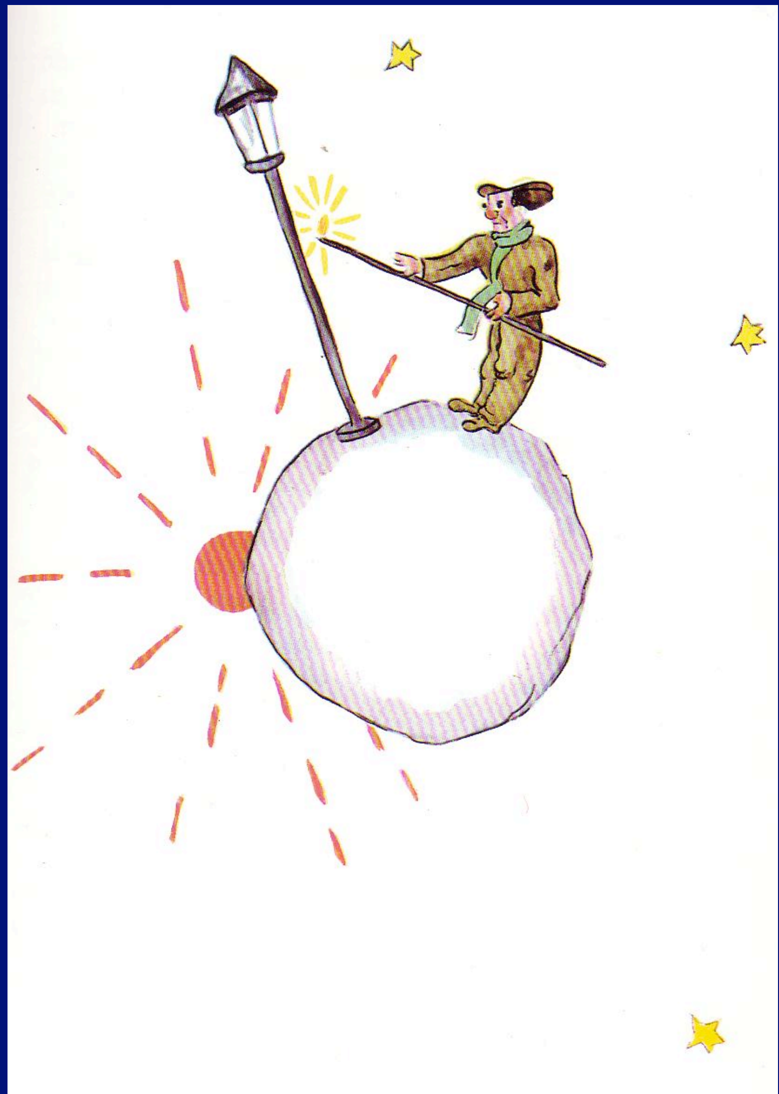
$$q = \frac{N_A{}^2 \chi^2}{\mu^2} \Lambda(T) \rho \quad [\text{erg g}^{-1}\ \text{s}^{-1}] \qquad N_A / \mu \ \text{molecules per g} \qquad \chi\ \text{e}^- \ \text{per particle}$$

The Cooling Barrier

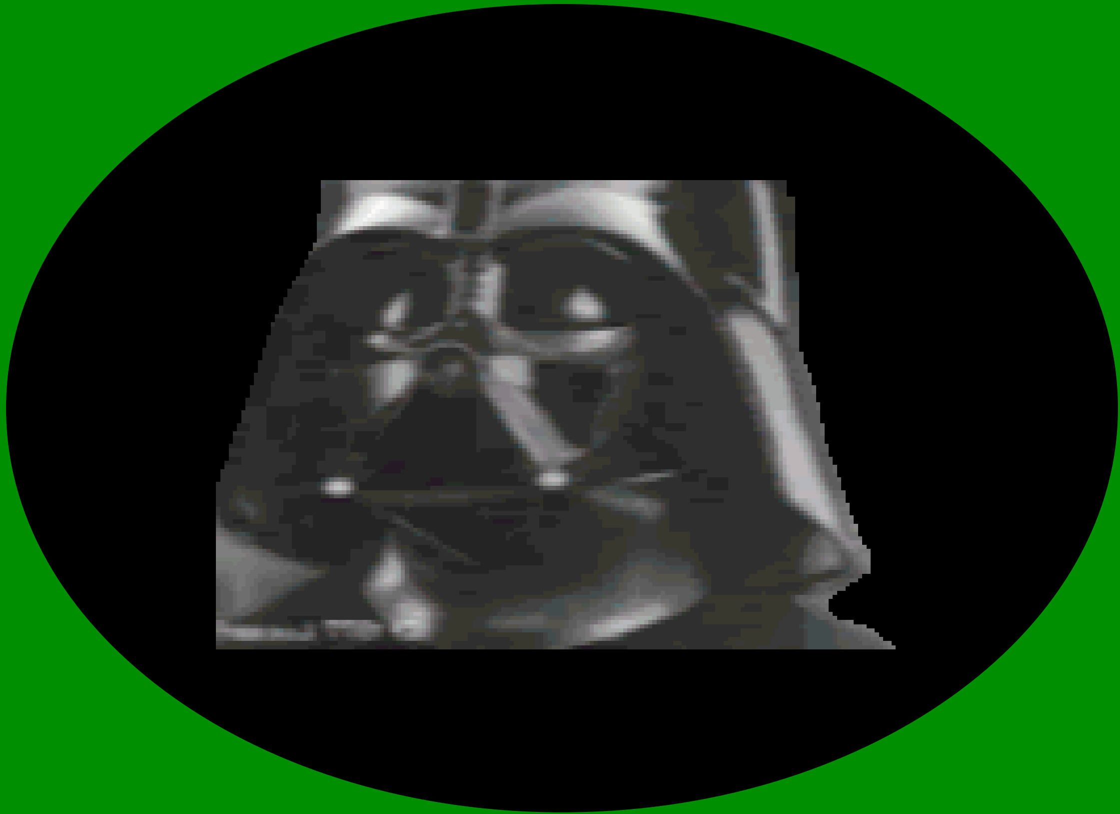
Rees & Ostriker 77, Silk 77, White & Rees 78



It isn't that simple to turn on the light



3. Dark-Dark Halos Must Exist



Dark-Dark Halos at V<30 km/s

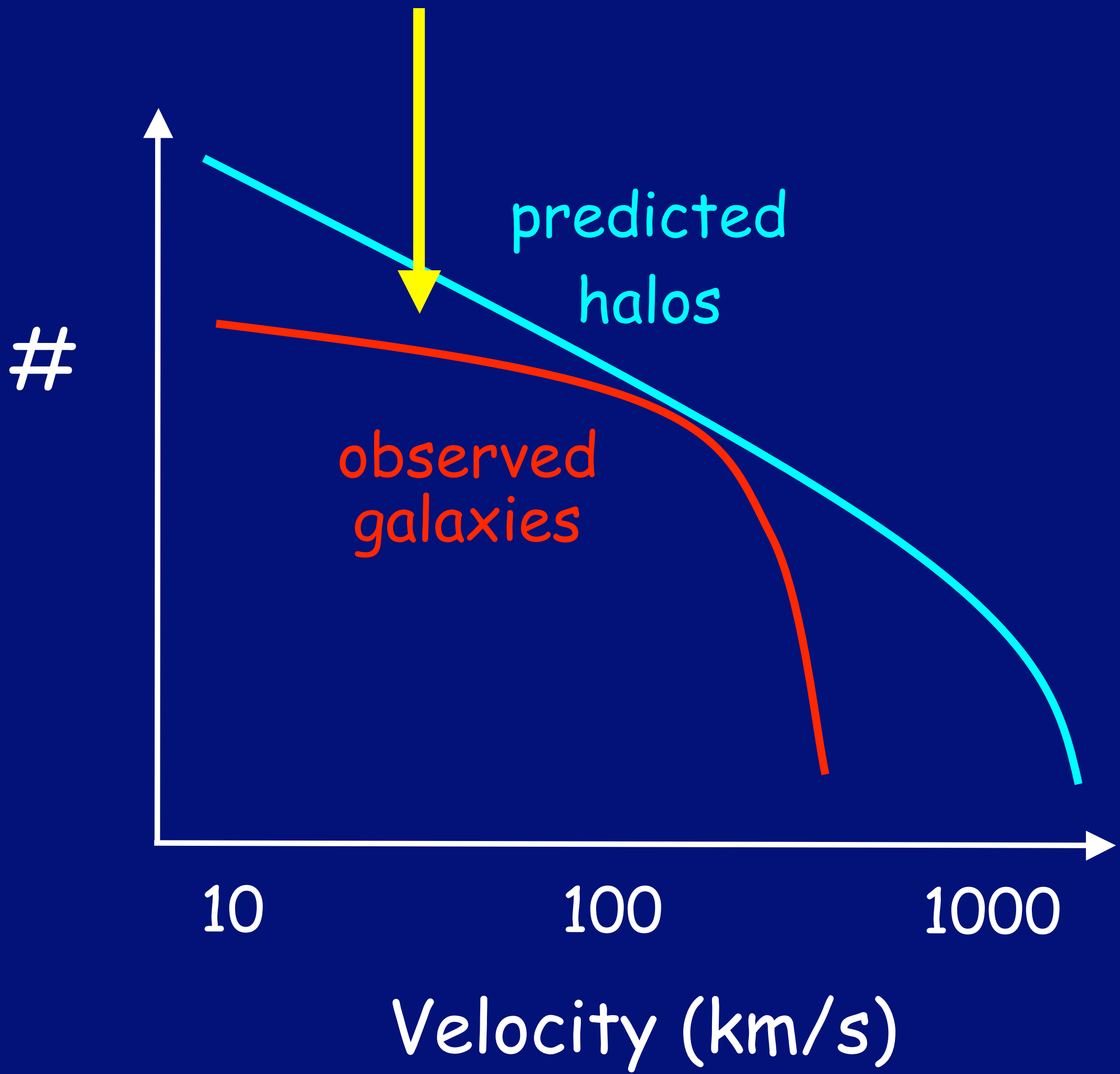
TF: $L \sim V^4$

Virial: $M \sim V^3$

$\psi(M) \sim M^{-2}$

$\phi(L) \sim L^{-1}$

Cannot be reconciled !



Dark Dark Halos must exist !

virial, top-hat: $M \propto V^3$

Tully Fisher: $L \propto M^x \propto V^{3x} \quad 3x \approx 5$ $\rightarrow dL/dM \propto M^{x-1}$

luminosity function: $\varphi(L) \propto L^{-\alpha} \quad \alpha \approx 1.2$

mass function: $\psi(M) \propto M^{-\beta} \quad \beta \approx 1.8$

$$f_L(M)\psi(M)dM = \varphi(L)dL \rightarrow dL/dM \propto M^{\alpha x - \beta + \gamma}$$

$$\Rightarrow (\alpha - 1)x = \beta - 1 - \gamma \qquad \rightarrow \gamma \approx 0.5 - 0.8$$

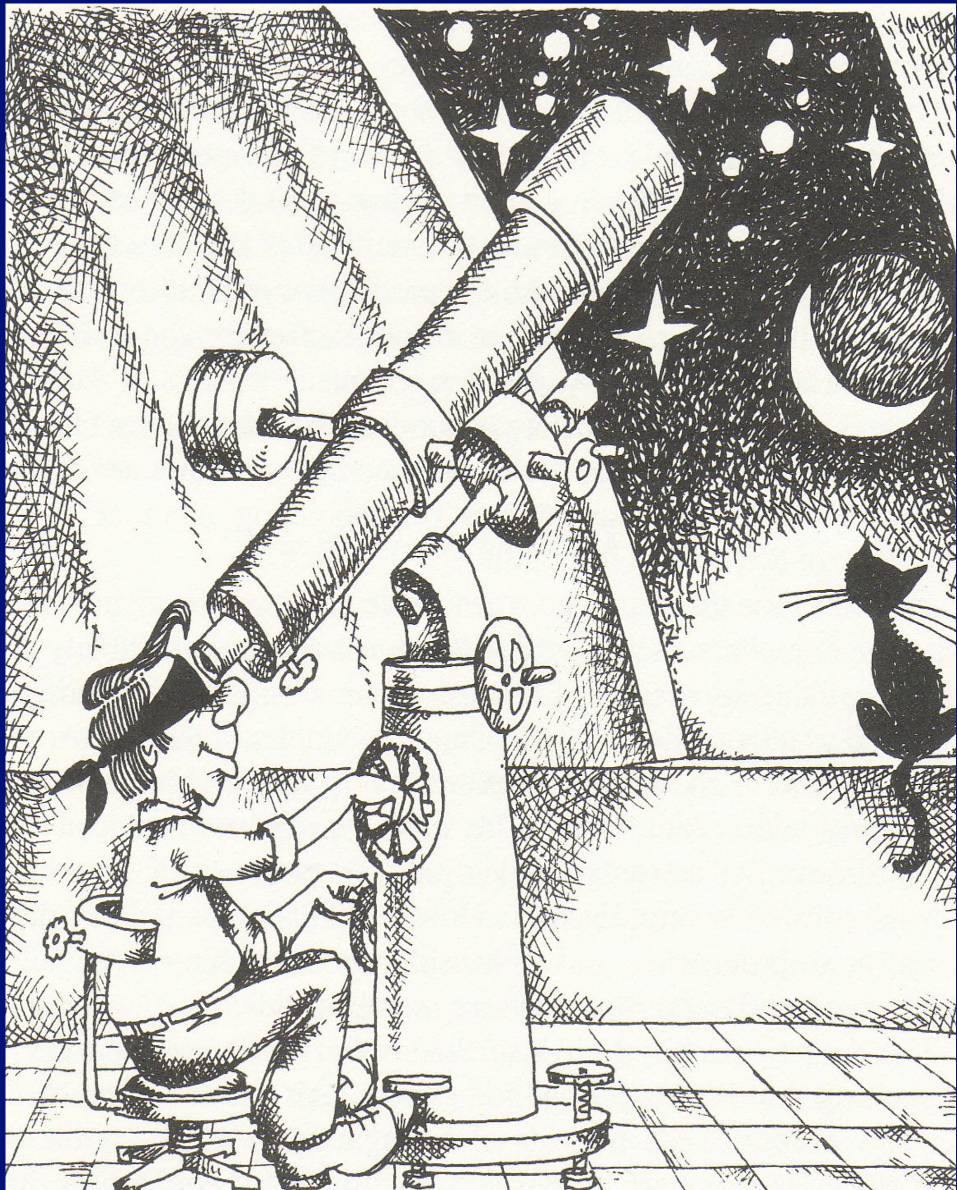
Cannot reconcile TF with luminosity and mass functions !

fraction of halos with luminous component: $f_L \propto M^\gamma$

$$\rightarrow f_L \propto M^{0.5-0.8} \propto V^2 \qquad L/M \propto V^2$$

completely dark halos SN feedback

Search for DDH



Complete removal of gas from proto-halos?

By SN outflow? unlikely

By ram pressure due to outflow from a nearby galaxy (Scannapieco, Ferrara & Broadhurst 00) ?

By radiative feedback?

4. Evaporation by Thermal Winds

Shaviv & Dekel 2003

Radiative Feedback

Reionization of H by UV flux from stars and AGN

by z_{ion}~10 → heating gas to $T \approx (1\text{-}2)\times 10^4$K

Jeans scale – **no** infall into halos of **V<30** km/s

Efstathiou 92; Thoul & Weinberg 96; Gnedin & Ostriker 97; Gnedin 00

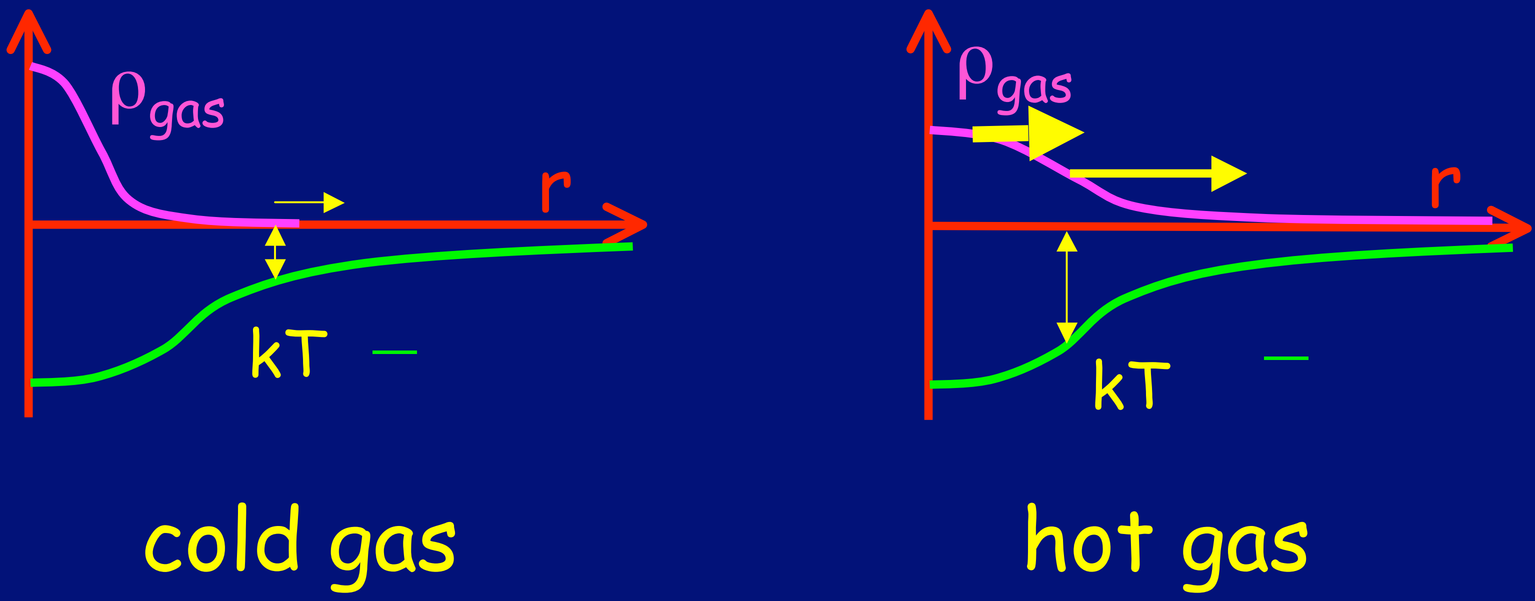
But complete gas removal?

Evaporation from halos of **V<~~10~~** km/s Barkana & Loeb 99

V<30 km/s Shaviv & Dekel 03

May eliminate luminous dwarfs in small halos, 10<V<30

Evaporation of hot gas



Mass loss from top of potential well $t_{\rm evap} \approx t_{\rm dyn} e^{\phi / kT}$

It is continuously replenished and lost

Continuous energy input by the ionizing flux

→ steady wind

Steady Thermal Wind

In stars: Parker 1960. In galaxies: extended potential well

Hydrodynamics:

$$\frac{\partial \rho}{\partial t} = -\nabla \cdot (\rho \mathbf{v})$$

$$\rho \frac{D\mathbf{v}}{Dt} = -\nabla P + \mathbf{f}_{\mathrm{grav}}$$

$$P = c_s^{\,2} \rho$$

Assume:
spherical, c_s=const., steady state $\dot{M}(r) = \text{const.} \rightarrow \dot{\rho} = 0 \quad \dot{\mathrm{v}} = 0$

→ wind equation:

$$\left(\mathrm{v}(r) - \frac{c_s^{\,2}}{\mathrm{v}(r)} \right) \mathrm{v}'(r) = -\phi'(\mathrm{r}) + \frac{2c_s^{\,2}}{r}$$

→ the sonic radius: $\phi'(r_s) = 2c_s^{\,2} / r_s$ → $r_s \approx GM / c_s^{\,2}$

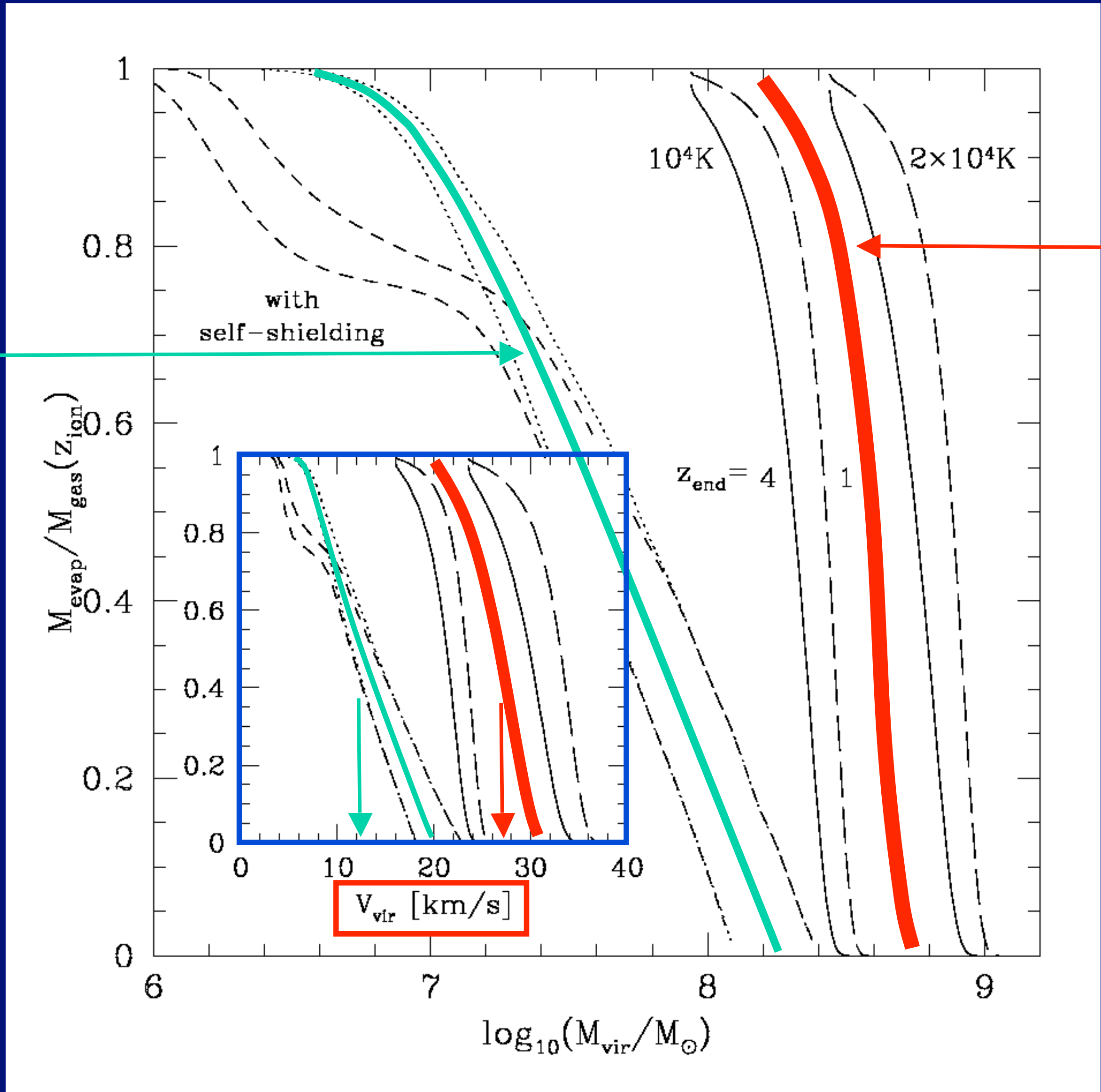
wind parameter (NFW): $\psi \equiv \dfrac{GM_c / r_c}{c_s^{\,2}}$ $\quad t_{evap} / t_{dyn} \approx 10^{\psi - 1}$

ψ>>1 tightly bound, no evaporation

ψ>1 bound, but steady wind >> t_{dyn}

$\psi \leq$1 rapid evaporation ~t_{dyn}

Evaporated Mass Fraction



Barkana & Loeb 99

instant

Shaviv & Dekel 03

wind

$z_{ion}=8$

$z_{end}=2$

Summary Dwarf Halos

Dark-dark halos must exist at $V<30$ km/s

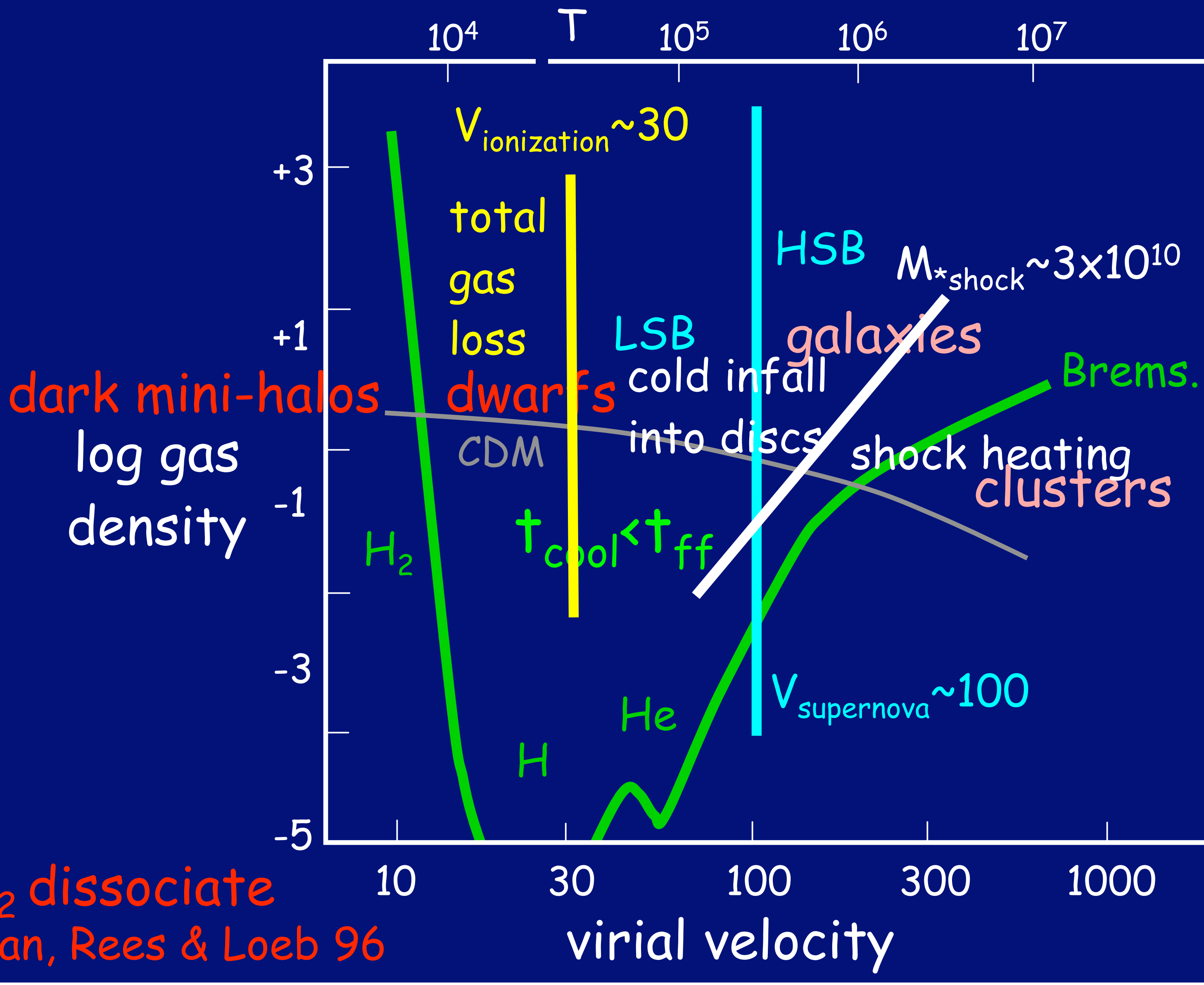
Half the photo-ionized gas evaporates by steady winds from halos of $V<30$ km/s.

Halos in the range $10<V<30$ could be:
- gas-poor dSph /dE
- or totally dark

No galaxies $V<10$ becasue of cooling barrier

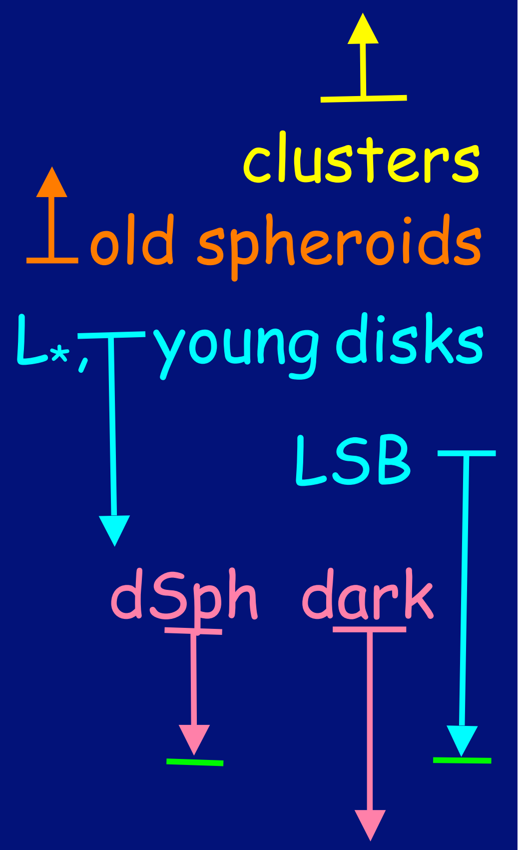
Cooling vs Free Fall

Rees & Ostriker 77, Silk 77, White & Rees 78



Summary: Characteristic Scales

	V (km/s)	M*(M_)	M(M_)
Cooling (Brems.)	300	2×10^{11}	10^{13}
Shock heating	100	3×10^{10}	6×10^{11}
Supernovae	100	3×10^{10}	6×10^{11}
Photoionization	30	10^{8}	2×10^{10}
Cooling (H)	10	3×10^{5}	6×10^{8}



Phase-Space Density & Halo Substructure

Arad & Dekel, in progress

Phase-Space Density

$$f(\vec{x},\vec{v})$$

$$\rho(\vec{x}) = \int d\vec{v}\; f(\vec{x},\vec{v})$$

Vlasov eq.

$$\partial_t f + \vec{v}\cdot\vec{\nabla}_x f - \vec{\nabla}_x \phi \cdot \nabla_v f = 0$$

Poisson eq.

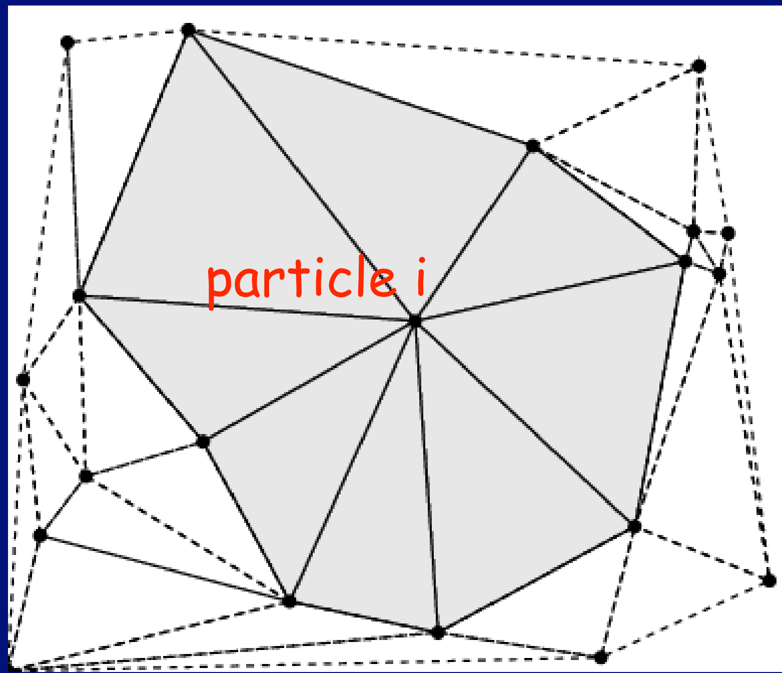
$$\phi(\vec{x}) = -G\int d\vec{x}'\, d\vec{v}\, \frac{f(\vec{x}',\vec{v})}{|\vec{x}-\vec{x}'|}$$

Distribution function of f:

$$V(f = f_0) \equiv \int d\vec{x}d\vec{v}\; \delta_{Dirac}[f(\vec{x},\vec{v},t) - f_0]$$

V(f)df = volume of phase space occupied by f in the range (f,f+df)

Measuring f(x,v) using an adaptive "grid"
Delaunay Tesselation

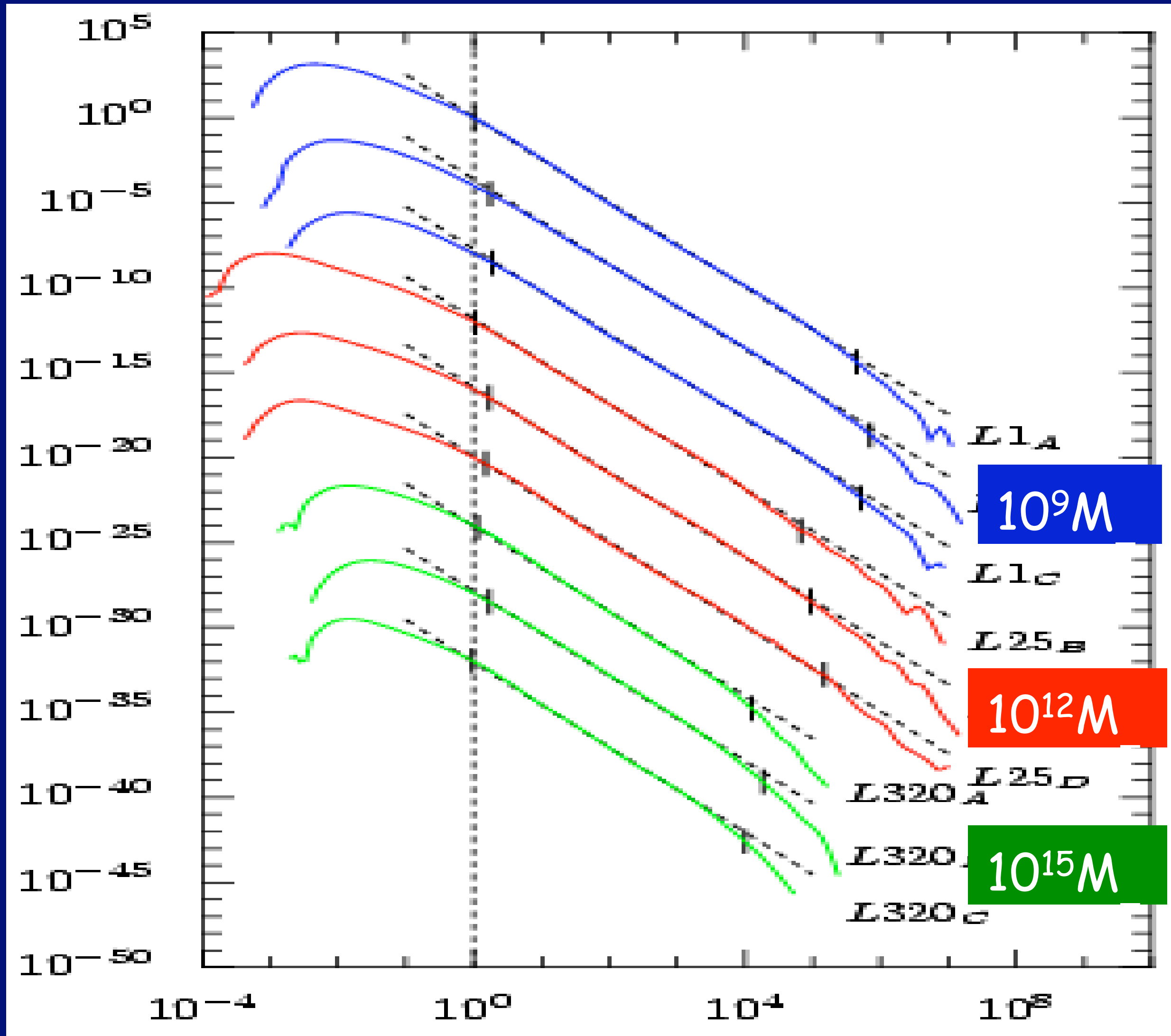


$$f_i = (d+1)\frac{m}{V_i}$$

Arad, Dekel & Klypin

PDF of Phase-Space Density

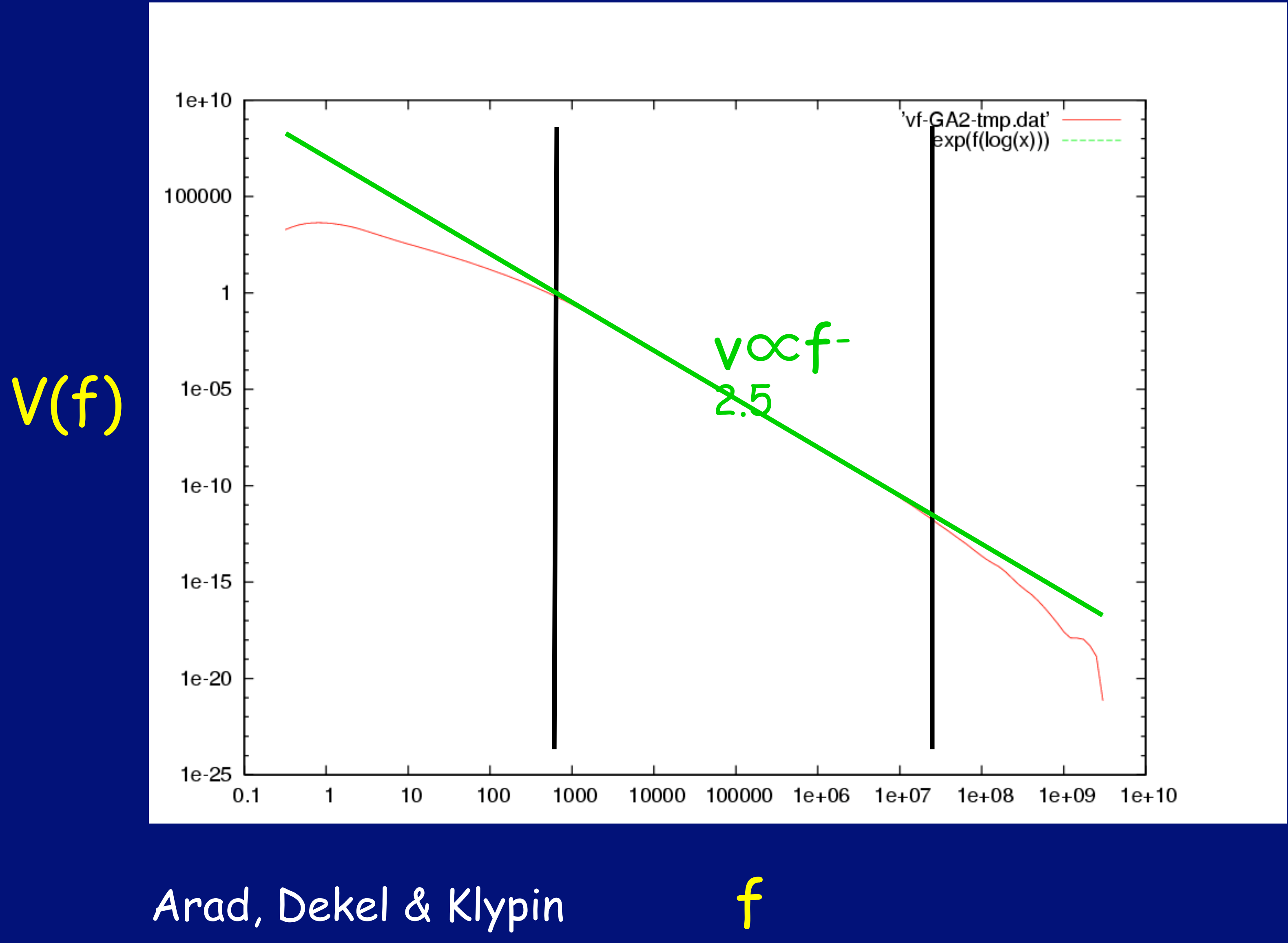
V(f)



f

Arad, Dekel & Klypin

PDF of Phase-Space Density



Arad, Dekel & Klypin

V(f) related to _(r)?

if $f(\vec{x},\vec{v}) = f(E)$ e.g., spherical & isotropic

$$\rho(r) \propto r^{-\alpha}, \quad V(f) \propto f^{-\beta}, \quad \beta = \frac{18-4\alpha}{6-\alpha}$$

$$\alpha = 3 \leftrightarrow \beta = 2$$

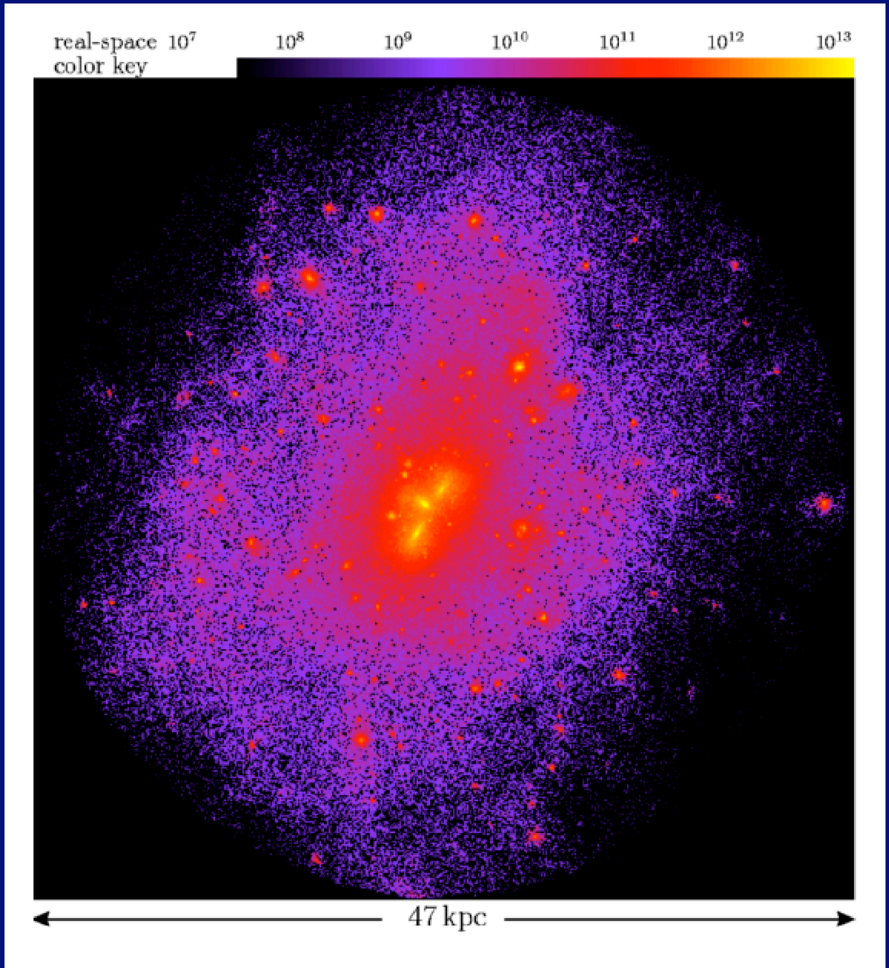
$$\alpha = 2 \leftrightarrow \beta = 2.5$$

$$\alpha = 1 \leftrightarrow \beta = 2.8$$

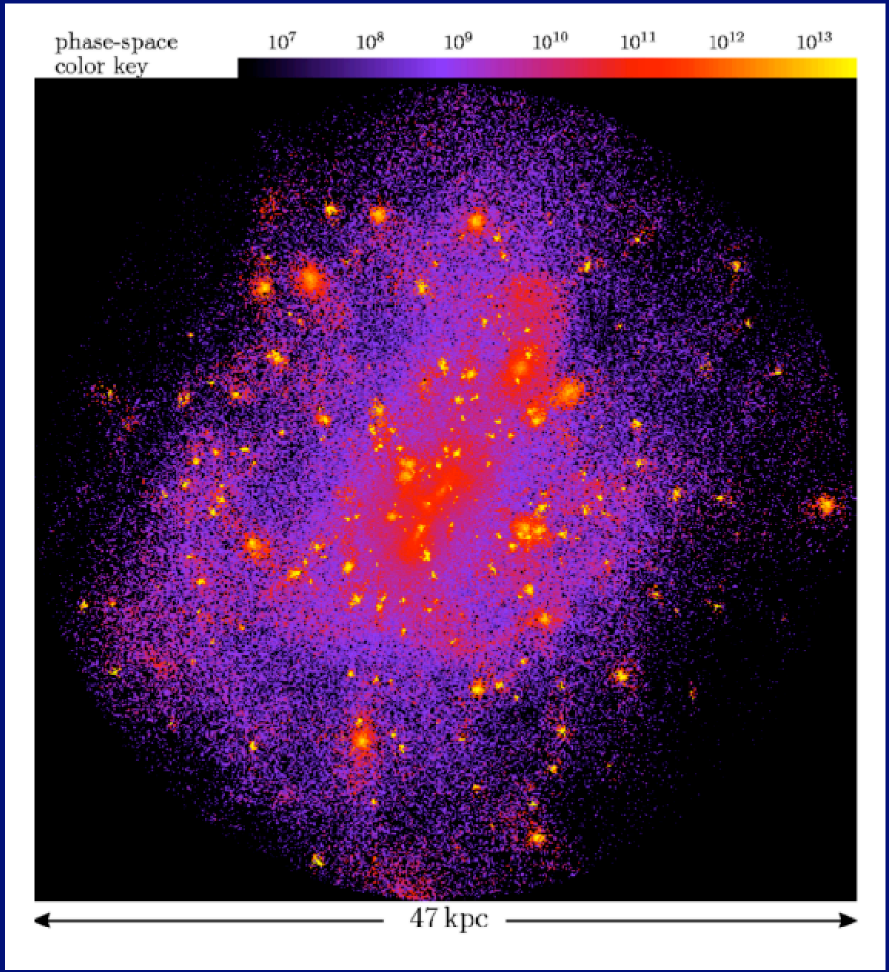
$$\alpha = 0 \leftrightarrow \beta = 3$$

Halo Phase-Space Density

Real Density

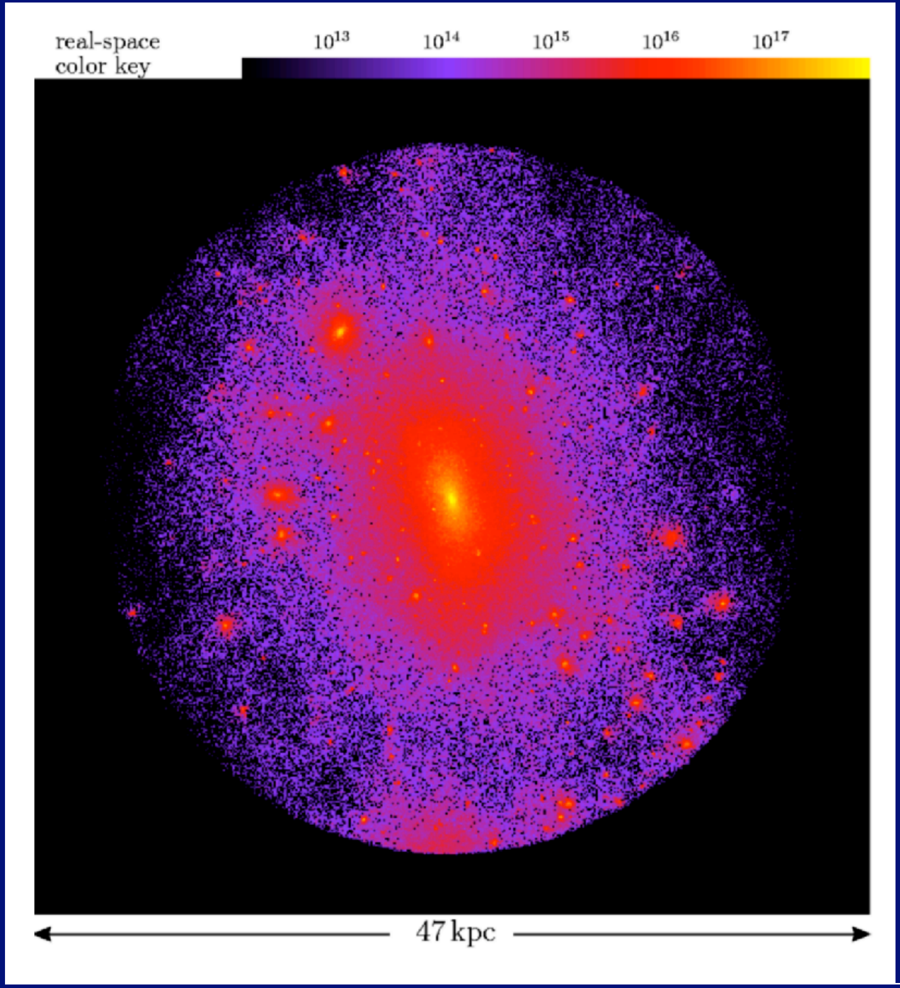


Phase-Space Density

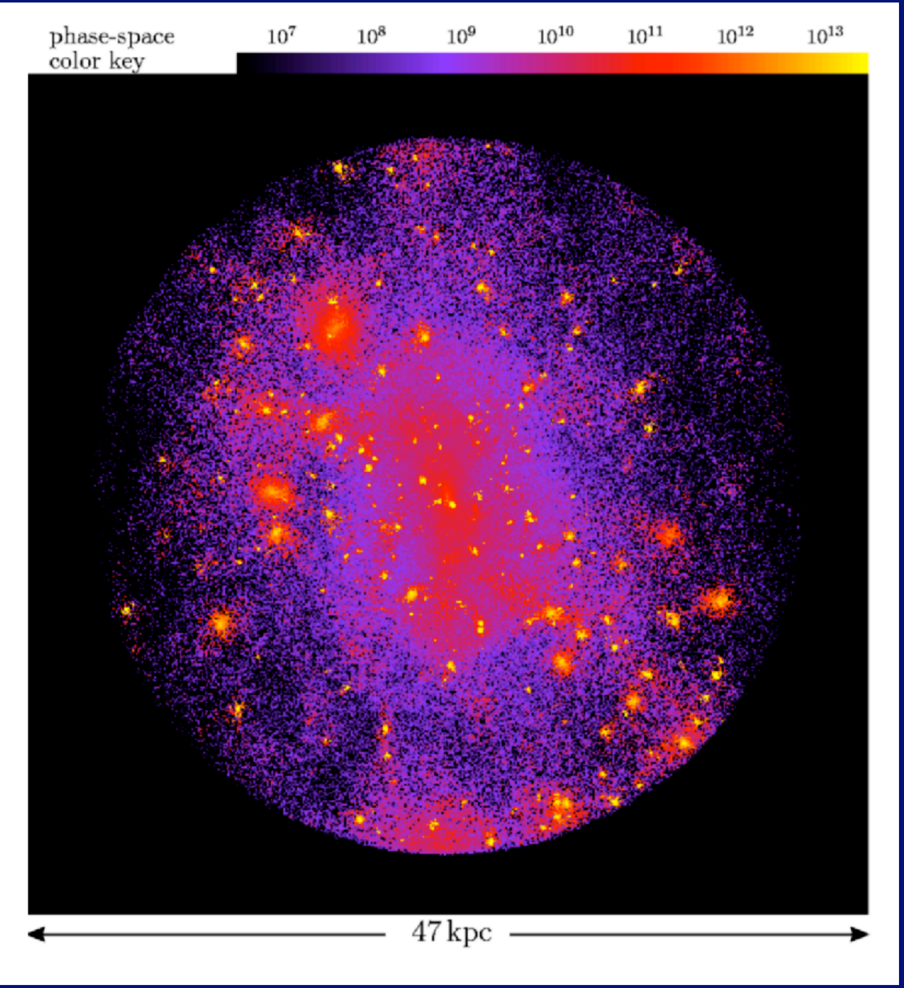


Halo Phase-Space Density

Real Density



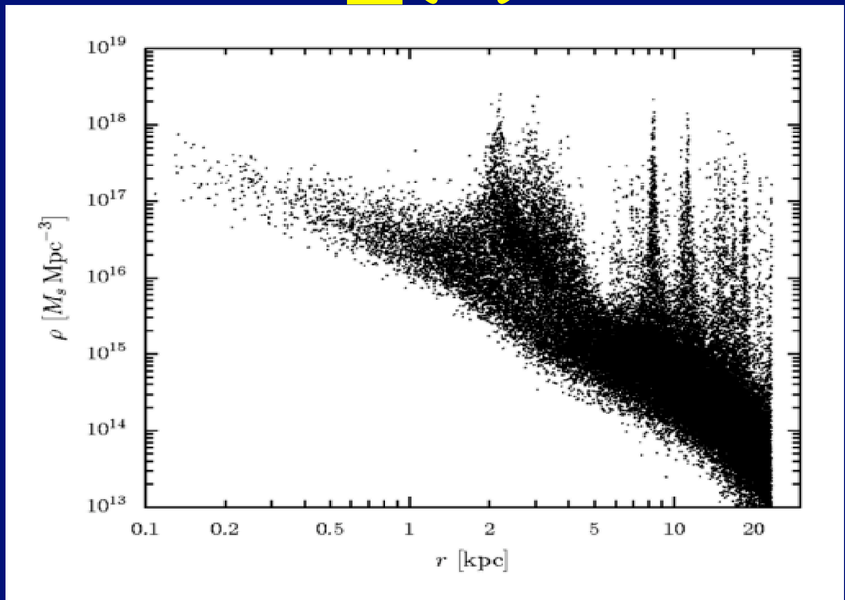
Phase-Space Density



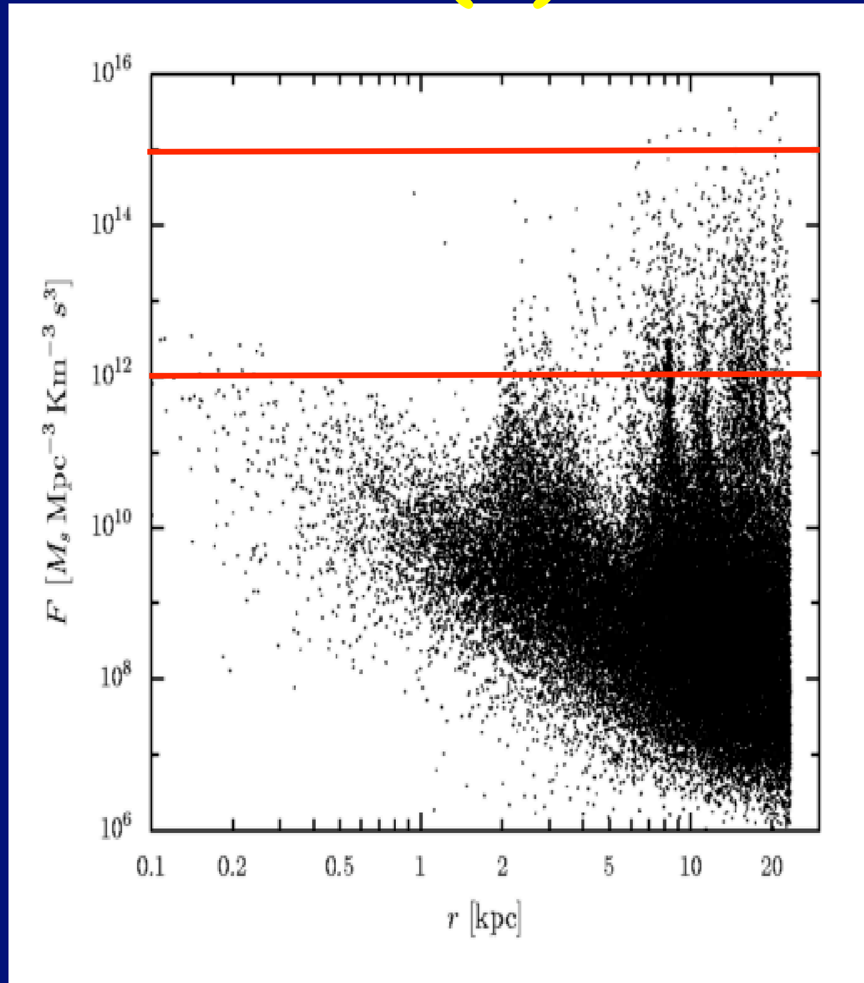
Profiles in Real Space and Phase Space

f(r)

_(r)

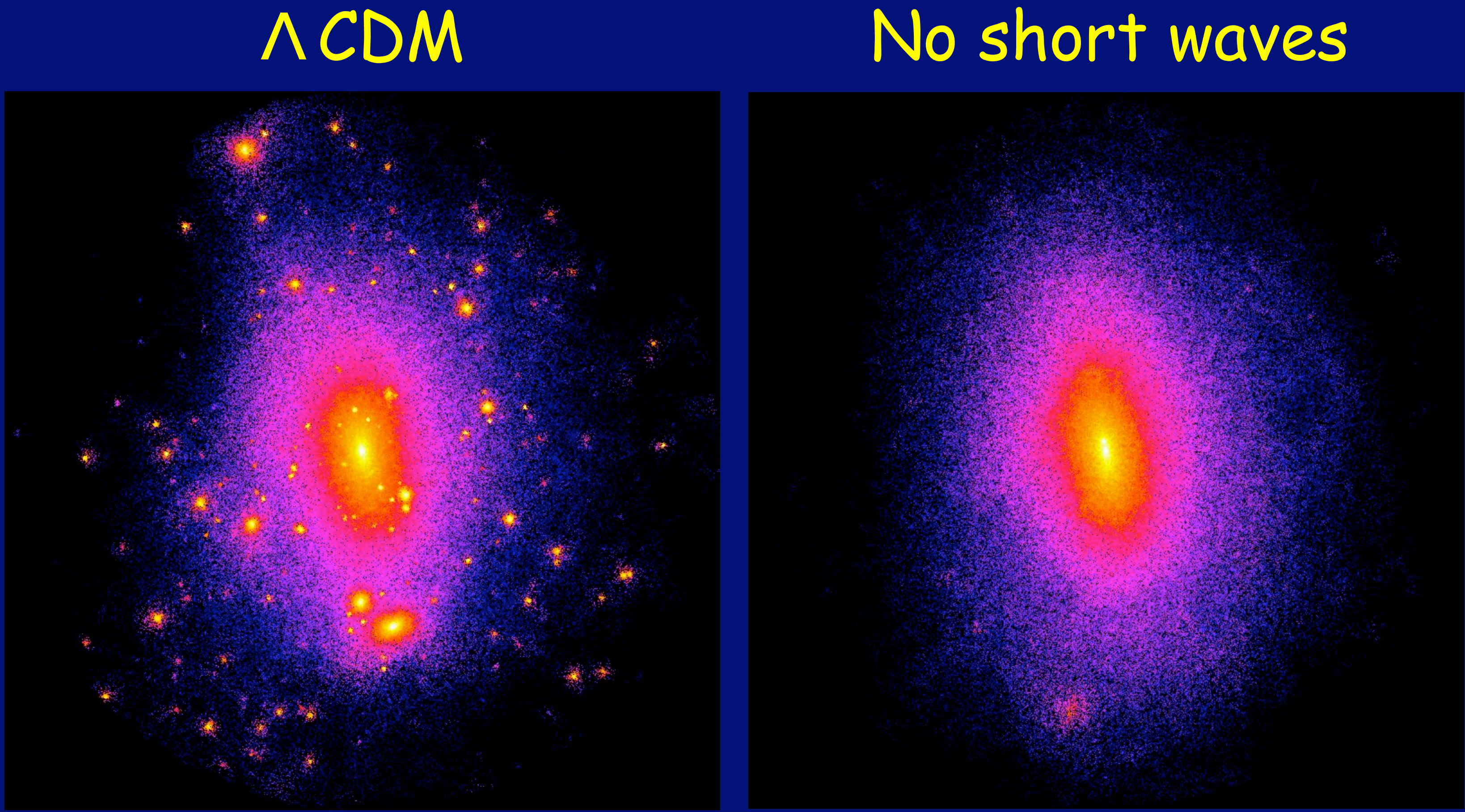


radius



radius

Is $v(f) \propto f^{-2.5}$ determined by substructure?

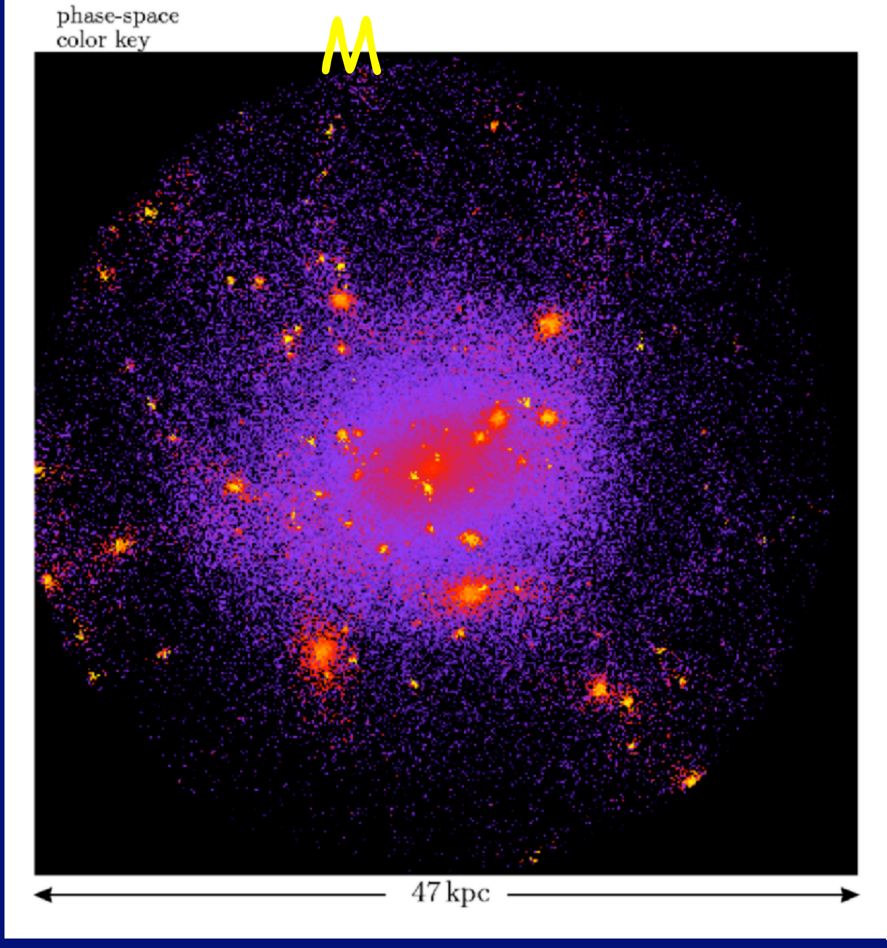


Real-Space Density

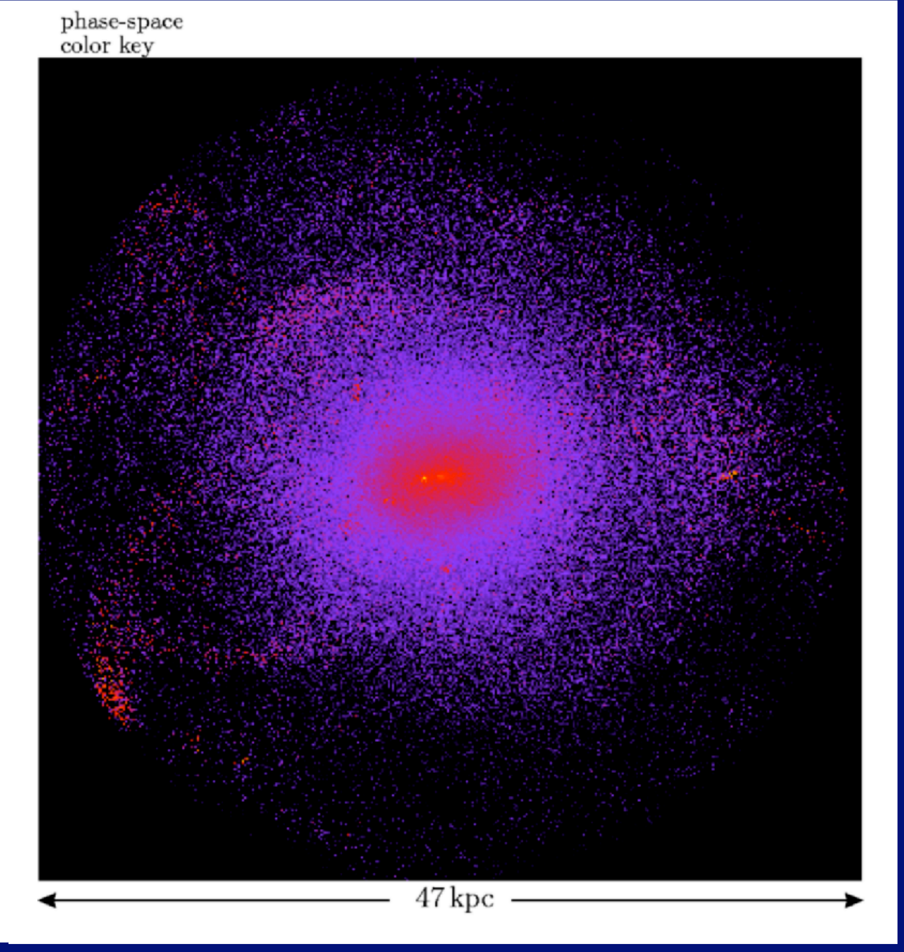
Moore et al.

Phase-Space density

ΛCDM

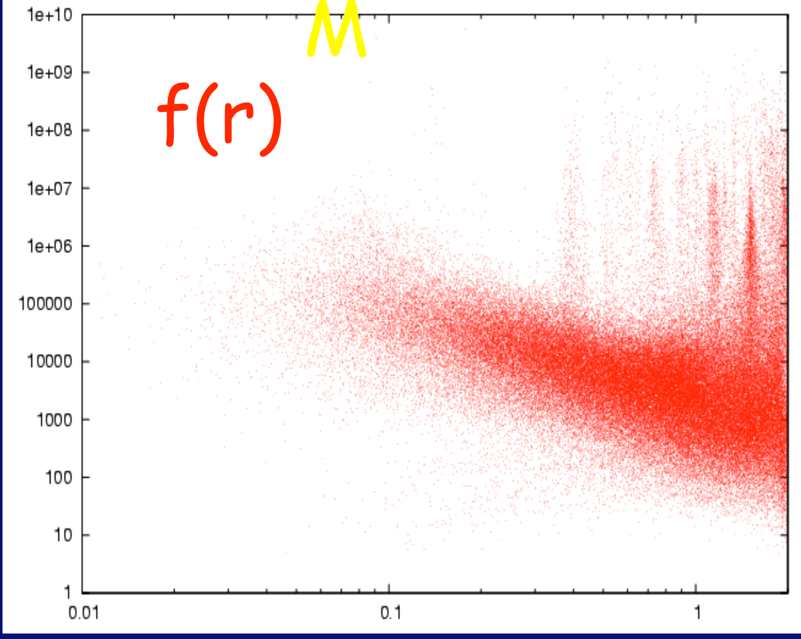


No short waves



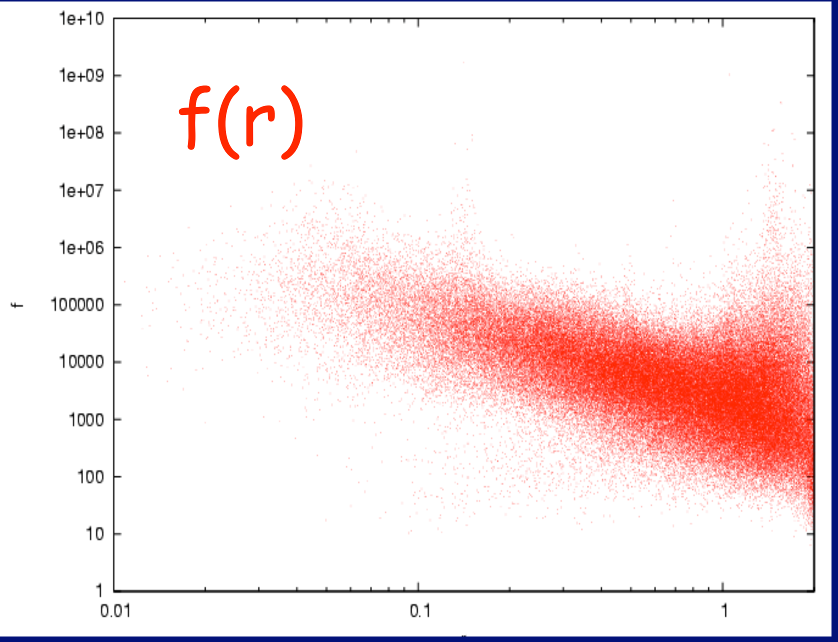
Phase-Space Density Profile

ΛCDM



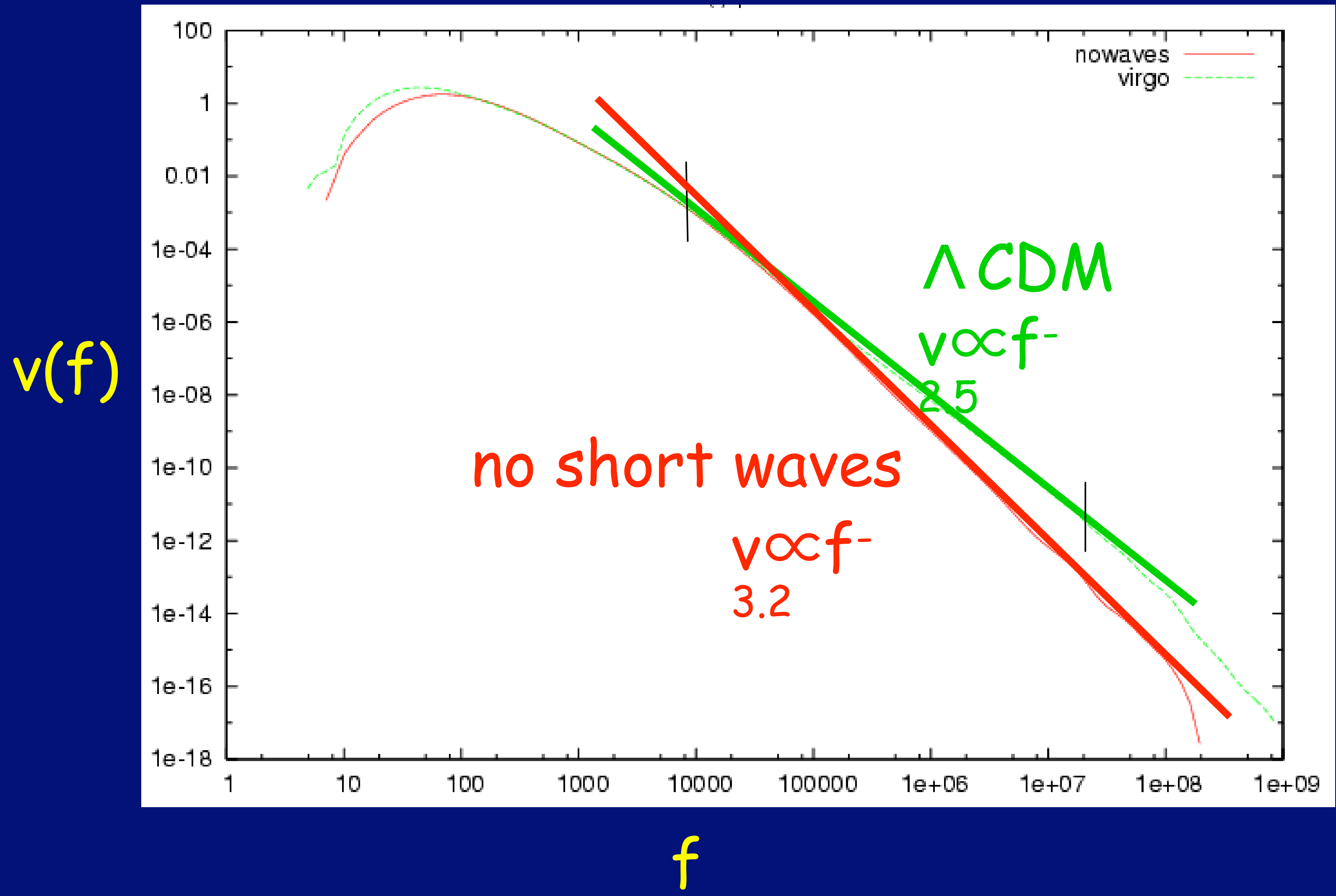
radius

No short waves

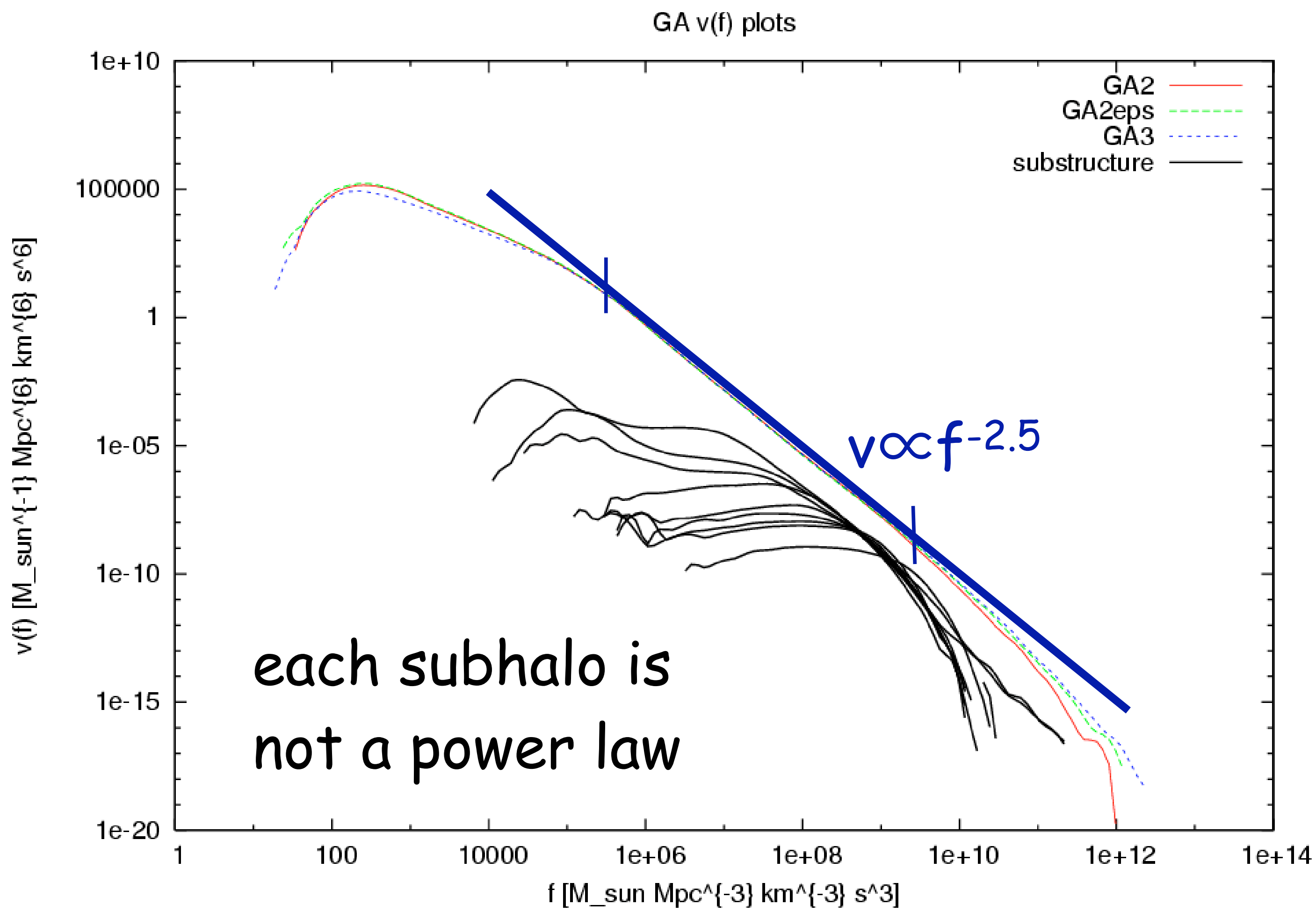


radius

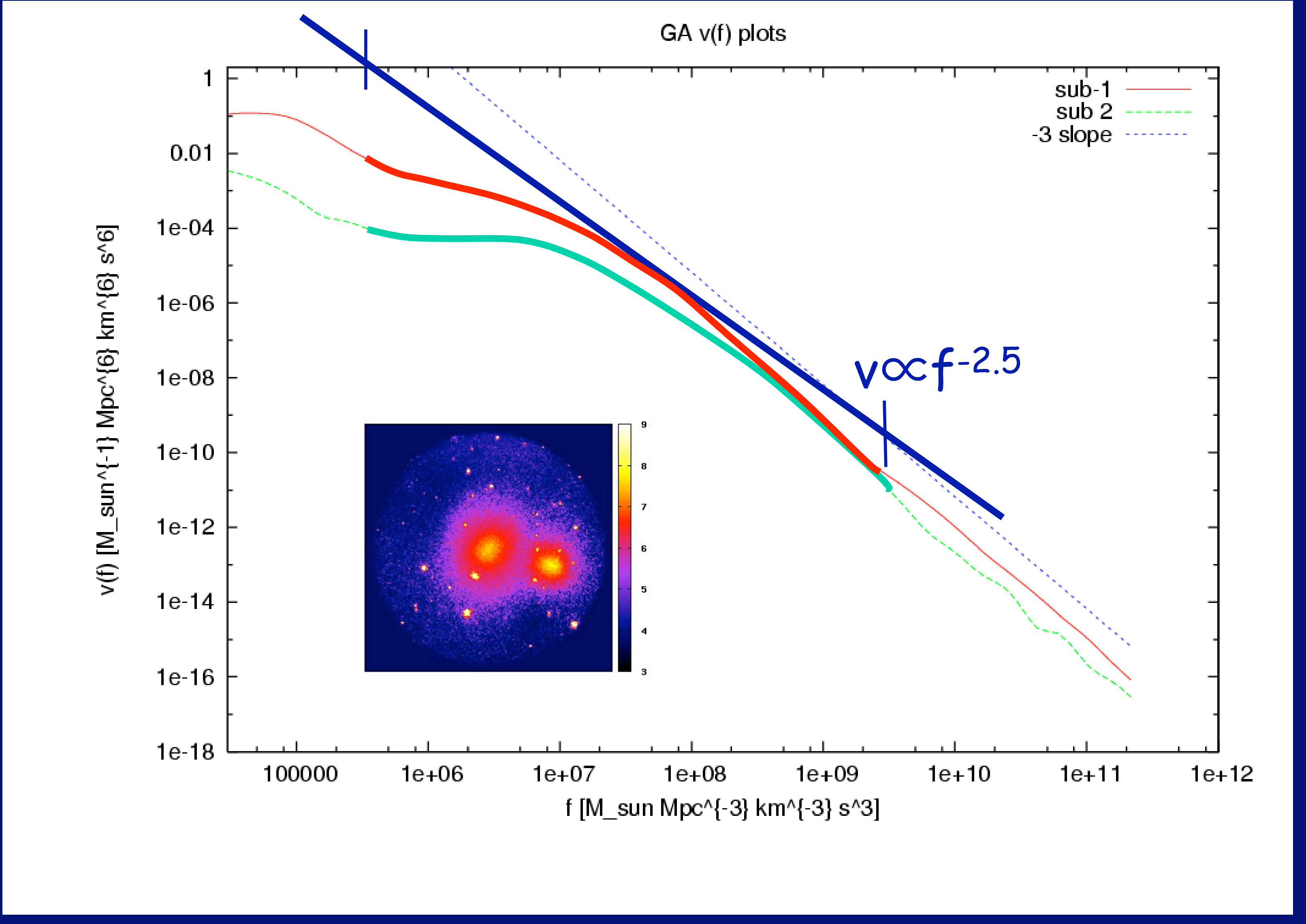
Same power law v(f)?



Additive Contribution of Subhalos

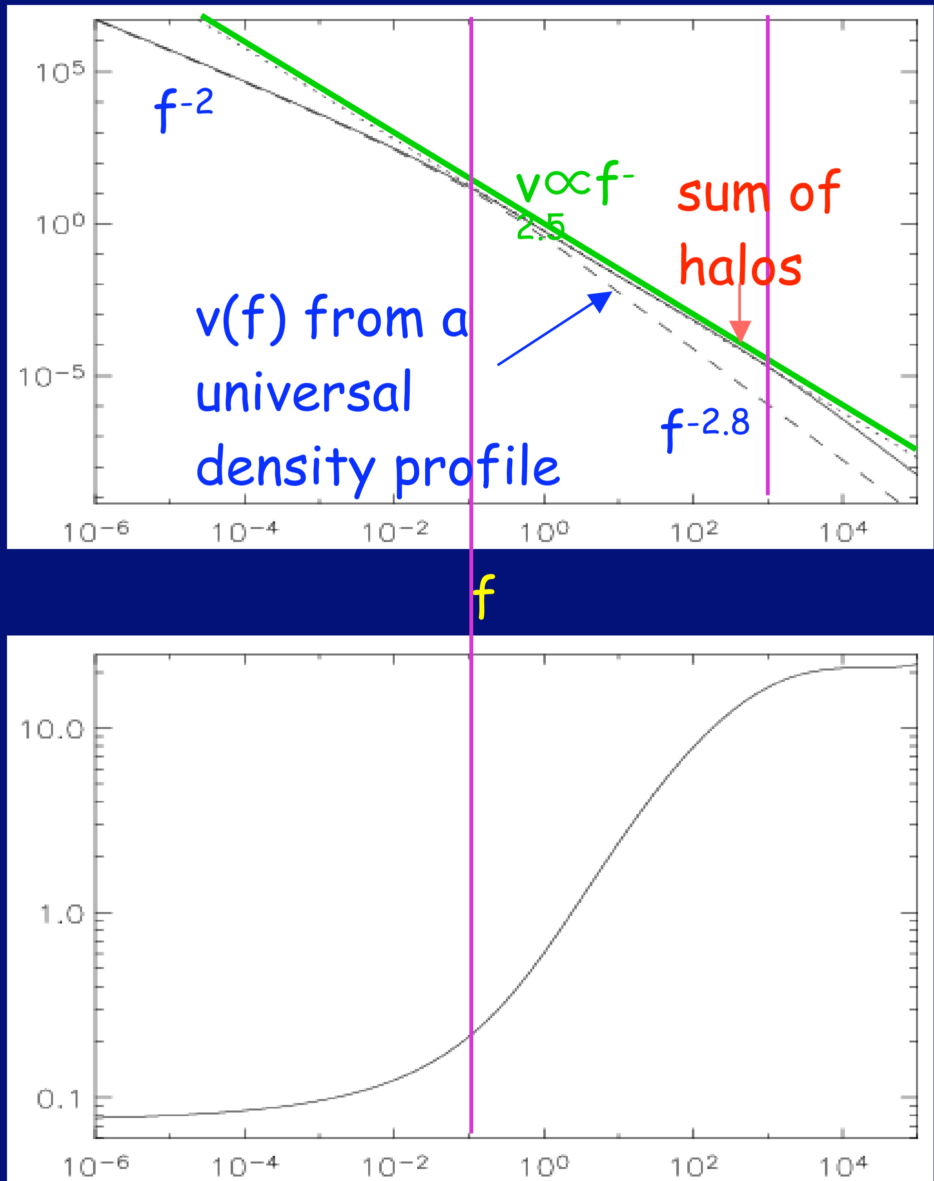


The Two Most Massive Subhalos



Adding up Sub-halos

f v(f)



f

subs/host

f

_(r)°v̇(f)

halo mass function:

$\phi(m) \propto m^{-\gamma} \; \gamma \approx 1.8$

Scaling of halos:

$\rho \propto m / r^3 = const.$

$r \propto m^{1/3} \quad \sigma \propto m^{1/3}$

Boylan-Kolchin, Ma, Arad, Dekel

Tentative Conclusions

In hierarchical clustering, robust PDF: $v(f) \propto f^{-2.5}$ doesn't depend on power-spectrum slope, or on method of simulation

The power-law v(f) is driven by substructure. How exactly? Yet to be understood !

Phase-space density is a unique tool for studying substructure and its evolution

Adding up small CDM halos leads to $v(f) \propto f^{-2.5}$? How robust? How dependent on subhalo density profile and mass function?