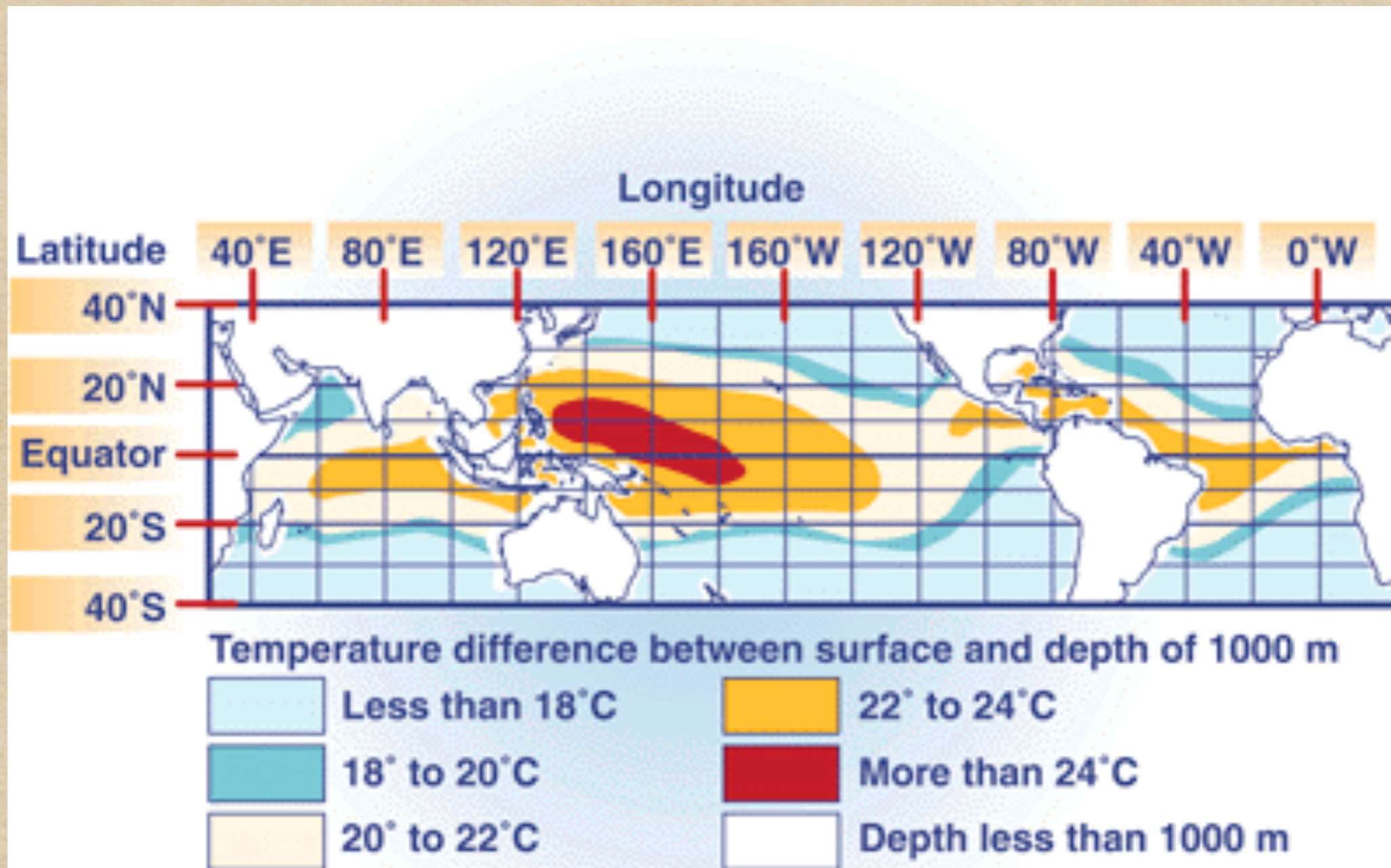


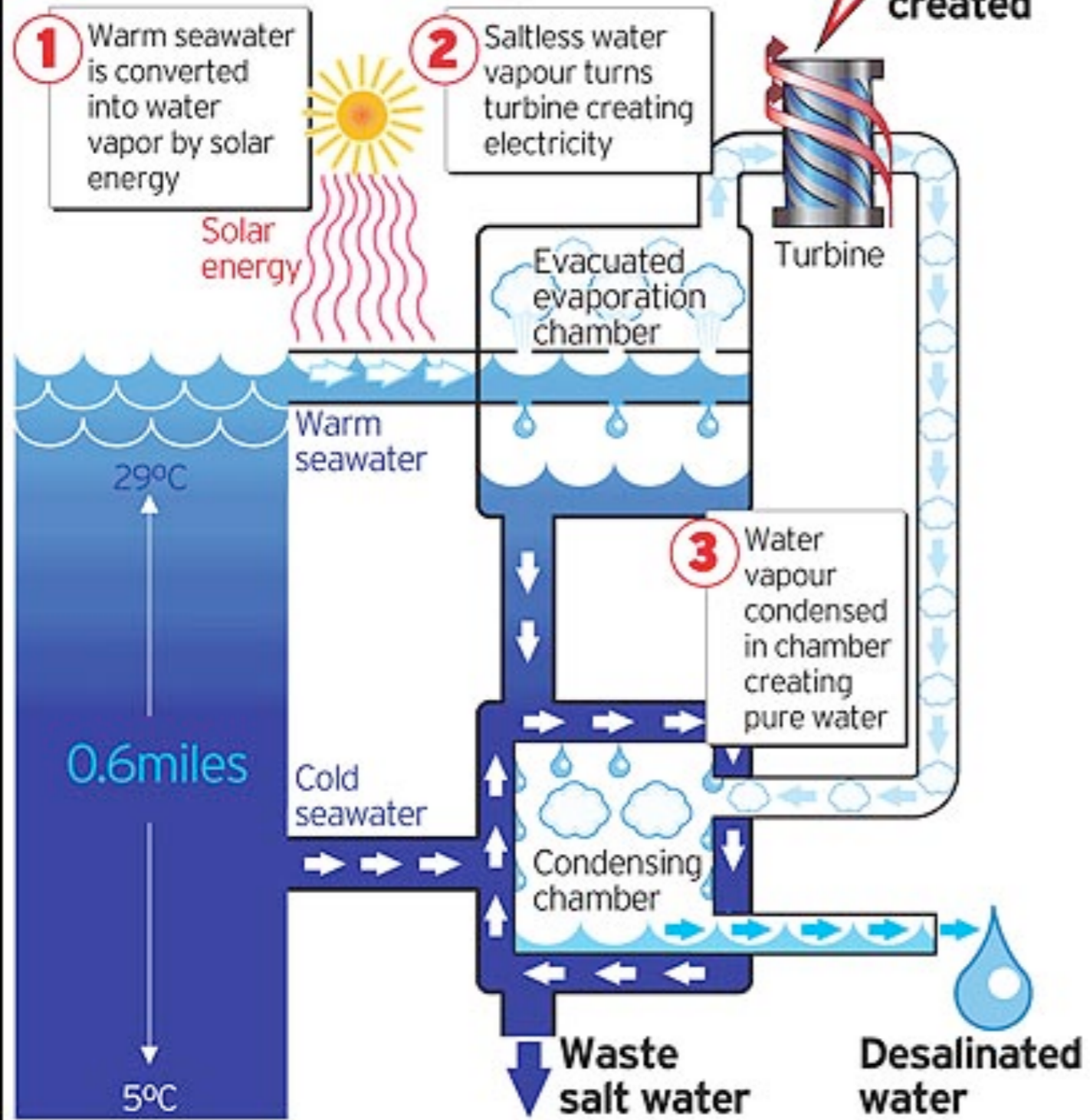
Lecture 24
May 30, 2012

OTEC
Ocean Thermal Energy Conversion



Water at surface is much warmer than water at 1000m depth. Can we use the temperature gradient of 20°C?

How ocean power operates



$$\eta = \frac{T_H - T_C}{T_H}$$

$$\eta = \frac{15}{300} \sim 5\%$$

If we cool 1000 gallons of water by 2°C, the power generated is 32 MW. At 5% efficiency this gives 1.6 MW output as usable power.

Offshore plants could produce Hydrogen that can be transported by ships..

Not a big player as yet, and rather cool response in US to this technology.

Biofuels/Biomass

Motivation

All of a sudden, you know, we may be in the energy business by being able to grow grass on the ranch! And have it harvested and converted into energy! That's what's close to happening.

GWB: Feb 2006

Ford T was built to run on either ethanol or petrol!!
And then we discovered the middle eastern oil fields!

Biomass

Photosynthesis


- 5 billion yrs ago, the atmosphere had H_2 , He, N, CO_2 , NH_3 and water but no oxygen
- 3 billion years ago we had oxygen and plant life, H_2 , He escaped the earth.
- Photosynthesis is key, anaerobic processes (no Oxygen required) created carbohydrates

$C_x(H_2O)_y$ are carbohydrates, e.g. $C_6H_{12}O_6$ fructose

Light= ENERGY



Glucose

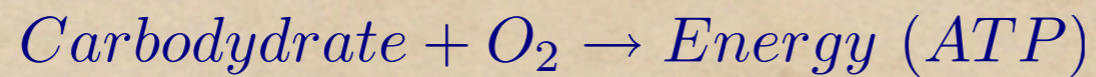


We may thus think of carbohydrate production by sunlight through this reaction.

A rough rule:

4300 cal energy needed to grow a gram of carb.

Respiration: opposite of PS



Rate of carbohydrate production, agriculture, grains \rightarrow Alcohol \rightarrow Gasohol

We can say something quantitative about the total agricultural production on the basis of the solar constant!

$$\text{Solar constant} = 0.5 \text{ cal/min/cm}^2$$

47% reaches earth

$$\sim 500 \text{ cal/(cm}^2 \cdot \text{day)}$$

$\sim 500 \text{ cal}/(\text{cm}^2 \cdot \text{day})$
25% correct wavelength for PS
70% absorption by foliage
35% light useful for PS
 $\sim 6\%$ of total
 $\sim 30 \text{ cal}/(\text{cm}^2 \cdot \text{day})$

Convert cal to grams using
a rough rule:
4300 cal per gram of carb giving
 $75 \text{ gm}/(\text{m}^2 \times \text{day})$

Experimentally one finds about $70 \text{ gm}/(\text{m}^2 \cdot \text{day})$ of grain production averaged over many species

This comes out as $\sim 5\%$ of total energy, pretty close to our estimate of 6% !!

- Hubbert's data says total solar power available for PS is 40 TW.
- We can calculate the total potential production from this as $8 \times 10^{16} \text{ gm/year}$ on earth.

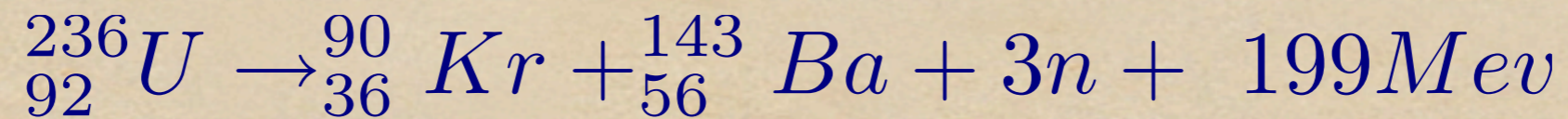
$$15 \text{ tons}/(\text{acre} \cdot \text{year}) \times 350 \times 10^6 \text{ acres} = 5.25 \times 10^9 \text{ Tons/year}$$
$$\text{at } 4300 \text{ (cal/gm)} \sim 79 \times 10^{15} \text{ BTU}$$

79 Quadrillion BTU versus 98 Q BTU used!!

Gasohol: 10% ethanol + petrol. Good for combustion efficiency and is promising.

Nuclear Energy

- Vast possibilities
- Much worry about safety, partly based on experience
- Further ideas for safer harvesting
- Need to know the basics:



Fission reaction: Need to understand the symbols and concepts.

$$E = m c^2$$

| General name | name | Charge | Mass | Mass x c^2 |
|---|----------|--------|----------|--------------|
| Nucleon Strongly interaction (Hadrons) | proton | +e | 1.007 u | 938 Mev |
| | neutron | 0 | 1.008 u | 939 Mev |
| Leptons | electron | -e | .00054 u | |
| | neutrino | 0 | ~small | |

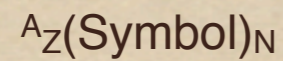
$$c = 3 \times 10^8 \text{ m/sec}$$

$$u = 1.66 \times 10^{-27} \text{ kg}$$

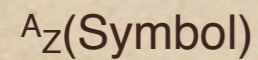
$$1 \text{ MeV} = 10^6 \text{ eV} = 1.6 \times 10^{-13} \text{ J}$$

Nucleus

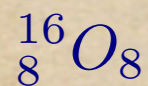
A nucleus consists of Z protons and N neutrons.
Its mass is close to (but not exactly) $(A=N+Z)$ u.
Their nomenclature is as follows:



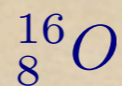
or sometimes simply as



Example of abundant oxygen



or more simply



Nomenclature:

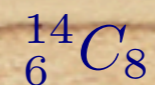
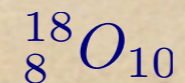
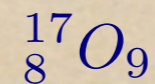
A= Mass number

Z= Atomic (or proton) number

N= Neutron number

$A=Z+N$

In nature we also find other
“isotopes” of Oxygen



A few important nuclei, and their isotopes

Hydrogen ${}^1_1\text{H}$

Stable hydrogen

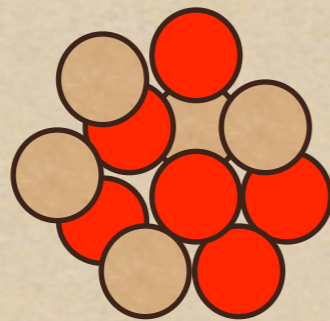
Deuterium ${}^2_1\text{H}$

Stable heavy hydrogen

Tritium ${}^3_1\text{H}$ *half-life* = 12 years

| | | |
|-----------|--|--|
| Helium | ${}^4_2\text{He}$ ${}^3_2\text{He}$ | |
| Carbon | ${}^{12}_6\text{C}$ ${}^{14}_6\text{C}$ | <p style="text-align: center;">-</p> <p style="text-align: center;">5600 yrs</p> |
| Uranium | ${}^{238}_{92}\text{U}$ ${}^{235}_{92}\text{U}$ | |
| Plutonium | ${}^{244}_{94}\text{Pu}$ ${}^{239}_{94}\text{Pu}$ | |

Radius of a nucleus $\sim 10^{-15}$ m, i.e. a fermi



Strong interaction forces bind the nucleons together, overcoming their Coulomb repulsion by an even stronger attraction.

Binding energy and mass defect.

The reason a nucleus is stable is due to the binding energy. We can say:

$$E_{\text{nucleus}} = E_{\text{nucleons}} - E_{\text{Binding}}$$

or

$$E_{\text{Binding}} = E_{\text{nucleons}} - E_{\text{nucleus}}$$

$$M_{\text{defect}} = E_{\text{Binding}} / C^2$$

$$E_{\text{Binding}} = (\text{Total energy of } Z \text{ protons and } N \text{ neutrons}) - (\text{total energy of nucleus})$$

$$\Delta m = (\text{total mass nucleons}) - (\text{mass nucleus})$$

Example of $^{14}_7\text{N}$ nitrogen nucleus:

$$\text{Nuclear Mass} - 7 \text{ electron mass} = 13.9992 \text{ u}$$

$$\text{Mass of nucleii (7 p + 7 n)} = (.112356 + 13.9992) \text{ u}$$

$$\text{Mass defect} = .112356 \text{ u}$$

$$\text{Binding energy} = 1.004 \times 10^{13} \text{ J}$$

10 tons of this substance gives 98 QBTU !!!!